

# MULTI-SCALE MODELING OF CONCRETE PERFORMANCE

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The COE Workshop on Material Science in 21st  
Century for the Construction Industry - Durability,  
Repair and Recycling of Concrete Structures

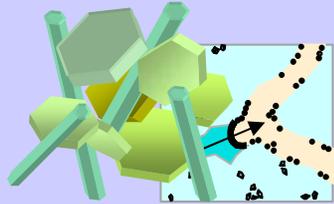
11/Aug/2005 Hokkaido University



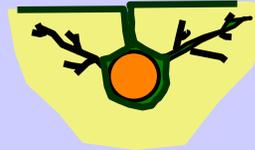
# Lifespan simulation for materials and structures

## Environmental Actions

Drying-wetting. Wind. Sunlight.  
ions/salts etc.



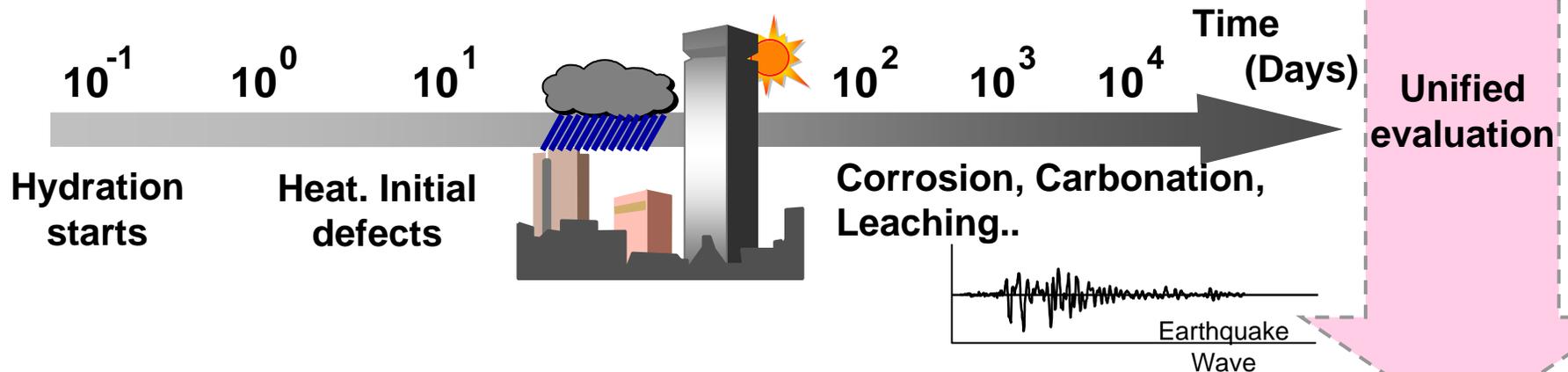
Scale  
 $10^{-6}$ - $10^{-9}$ [m]



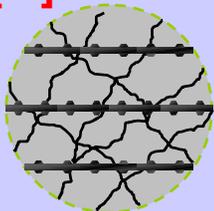
## Thermo-hygro system

State laws  
Mass/energy balance

**Output: Hydration degree, Microstructure,  
Distributions of Moisture /Salt /Oxygen /CO<sub>2</sub>,  
pH in pore water, corrosion rate etc.**



Scale  
 $10^0$ - $10^3$ [m]



Macroscopic cracking

**Output: Stress, Strain, Accelerations, Degree of  
damage, Plasticity, Crack density etc.**

## Mechanical Actions

Ground acceleration  
Gravity  
Temperature and shrinkage effects



**Continuum Mechanics**  
Deformational compatibility  
Momentum conservation

# Our concern and target

Not only....

Small specimen  
(laboratory scale, homogenous)

Standard curing

Saturated porous media

Constant env. condition

But also....

Large-scale structure  
(MQ differ with space)

Various curing conditions

Unsaturated porous media

Variable env. condition  
(temp., RH, Cl, CO<sub>2</sub>...)

*for engineering and practical use*

**Based on multi-scale modeling and coupled analytical system**

# DuCOM Coupled Computational Scheme

-Thermo-hygro physics for materials-

*Basic Equation* 
$$\frac{\partial S(\theta_i)}{\partial t} + \text{div} \mathbf{J}_i(\theta_i, \nabla \theta_i) - Q_i(\theta_i) = 0$$

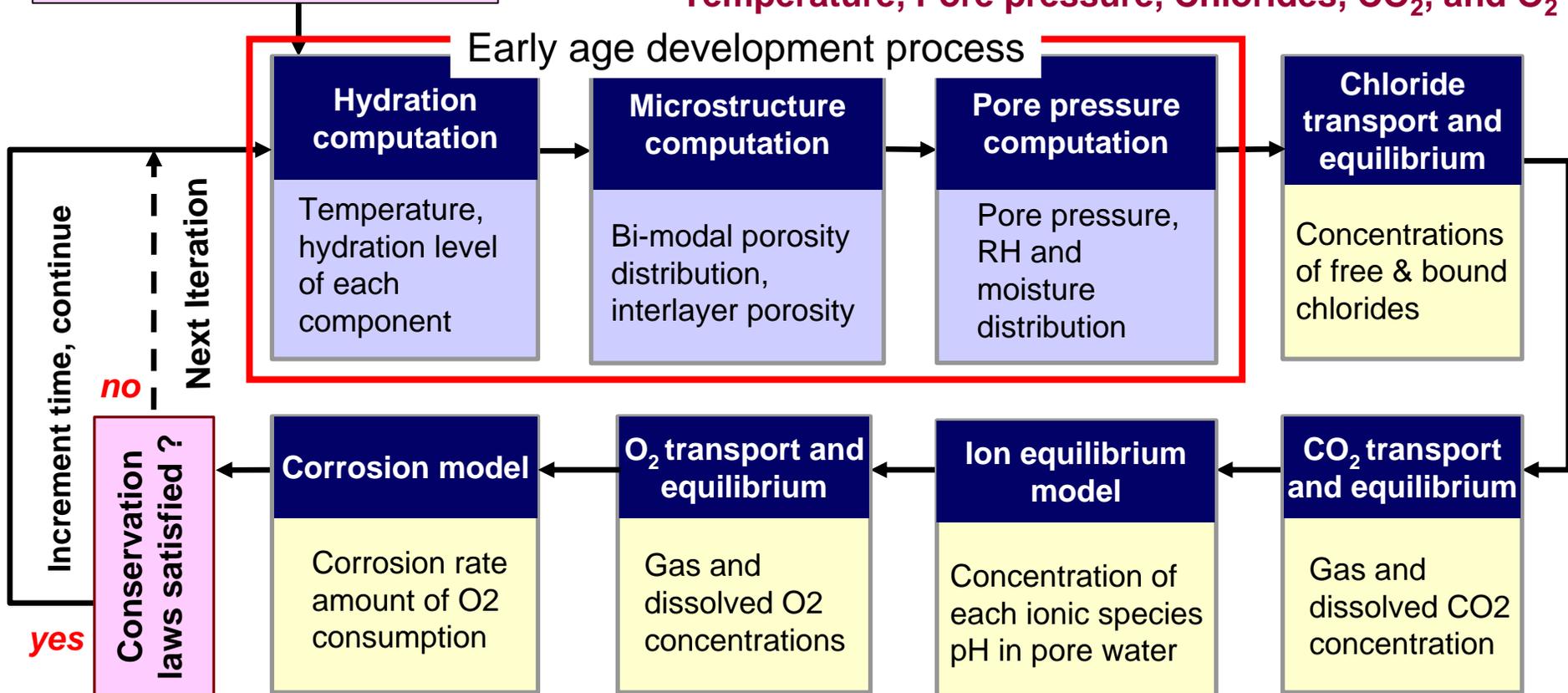
Potential term      Flux term      Sink term

$\theta_i$ ; Degree of freedom

Temperature, Pore pressure, Chlorides, CO<sub>2</sub>, and O<sub>2</sub>

START

Size, shape, mix proportions, initial and boundary conditions

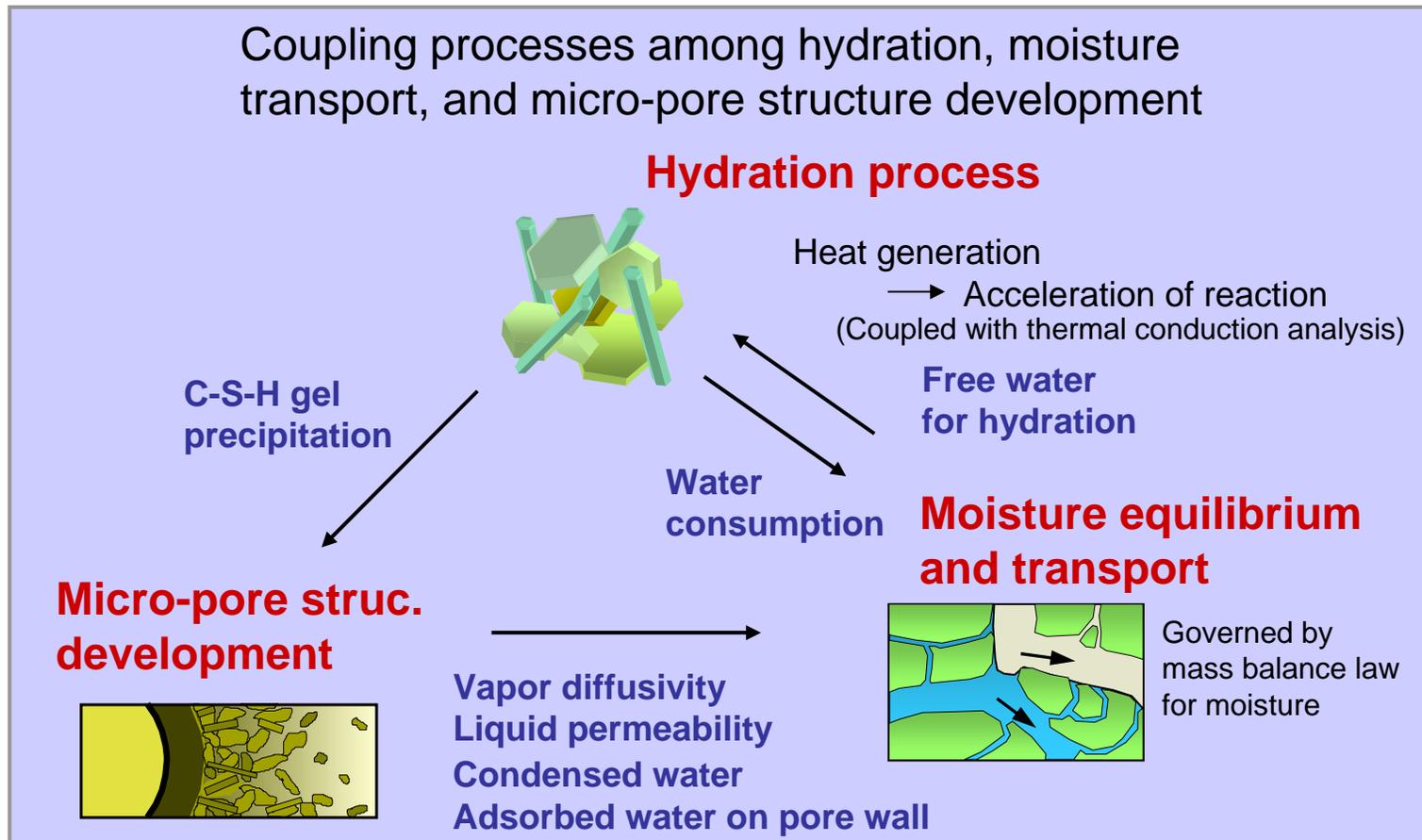


Each term has been formulated based on thermodynamics, chemical equilibrium and electrochemistry

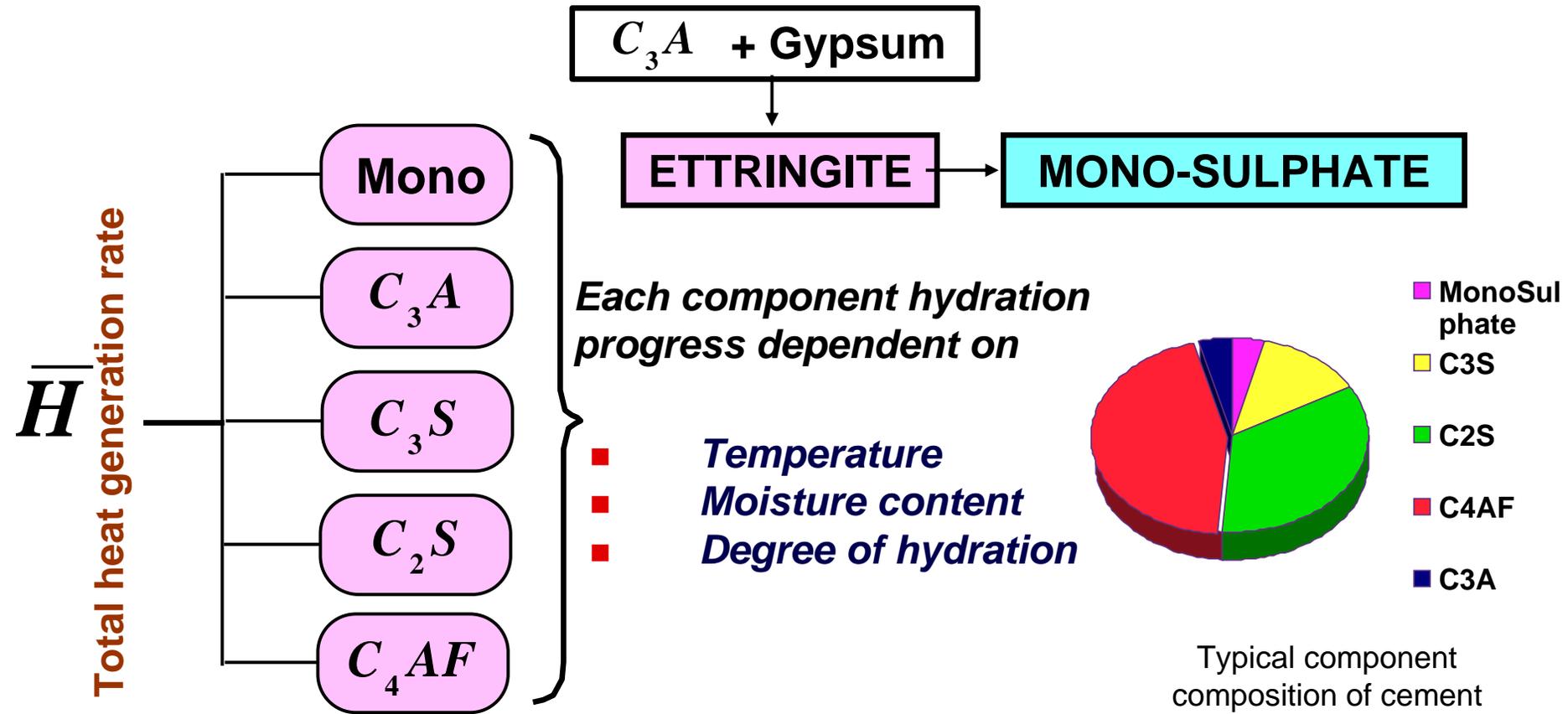
# Coupled Simulation for Early Age Development Process

Our concern is... not to predict hydration process under ideal conditions  
but to predict early age development process  
under various temperature, wetting & drying conditions

For that purpose, non-linear interactive phenomena should be taken into account



# Multi-component cement hydration model



Hydration heat rate  $\bar{H}_i$  of each component at  $T_o$

$$\bar{H}_i = \bar{H}_{i,T_o} \exp \left[ -\frac{E_i}{R} \left( \frac{1}{T} - \frac{1}{T_o} \right) \right]$$

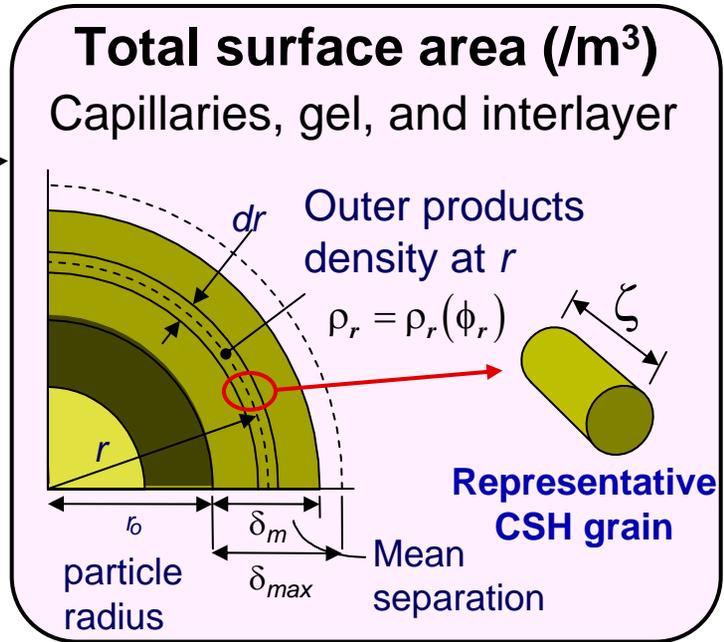
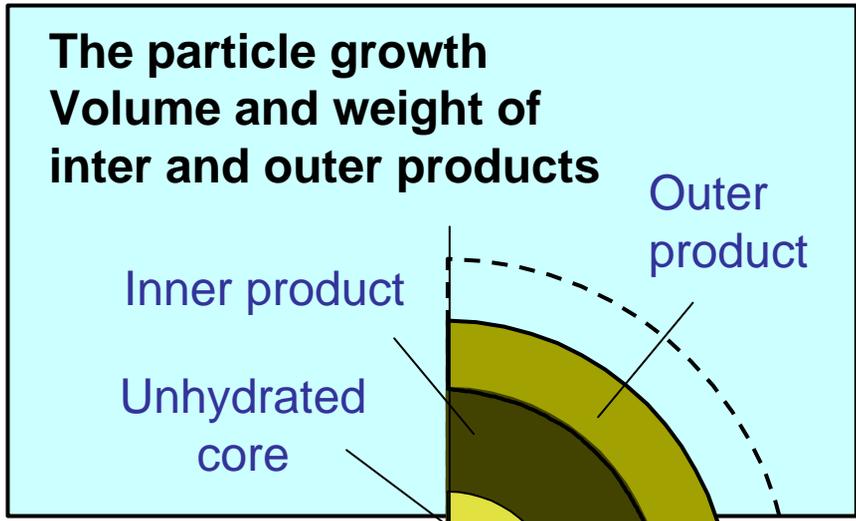
# Outline of the pore structure development computation

Two important functions

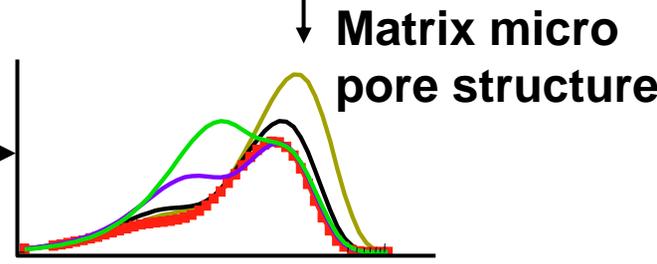
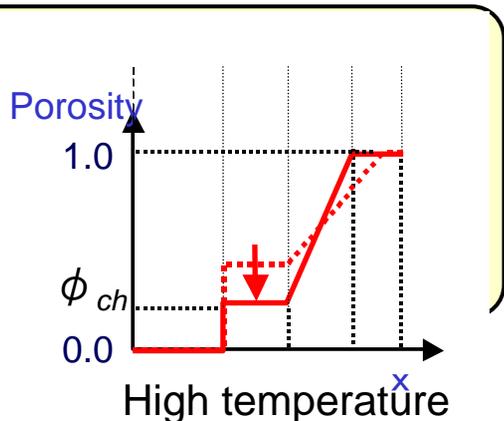


- Path for Mass transport (gas, liquid, ion)
- Moisture reservoir (as solvent, reaction field, etc)

Hydration Degree of Matrix  
Type of cement & binders

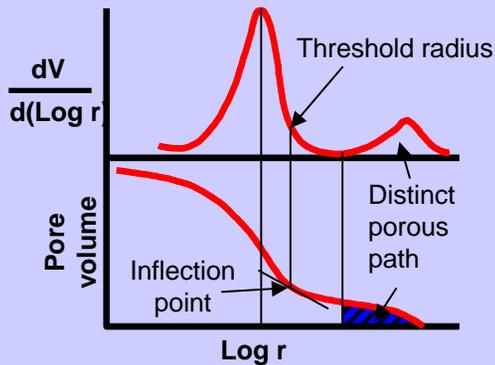


Bulk porosity  
Capillaries,  
gel and interl



# Mass balance equation for vapor and liquid

## Flux term



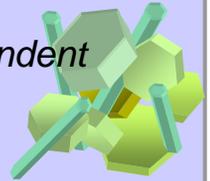
## Moisture conductivity

- Liquid + vapor
- Computed from pore structure directly
- Random pore model

## Sink term

## Moisture loss due to hydration

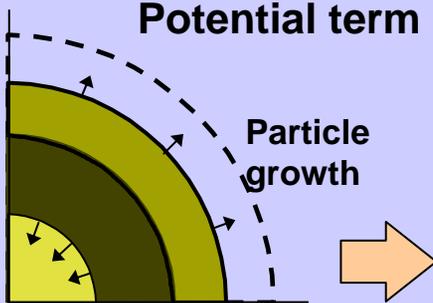
- Obtained directly from hydration model. Based on reaction pattern of each clinker component
- Cement composition dependent



## Governing equation

$$\frac{\partial(\rho_l \phi S)}{\partial t} - \text{div}\{\mathbf{J}(P_l, \nabla P, \nabla T)\} - Q_{hyd} = 0$$

## Potential term



## Pore-structure development model

Pore distribution, surface area

## Equilibrium of gas and liquid

Kelvin's equation (Under isothermal)  
Laplace's equation  
Clausius-Clapeyron equation

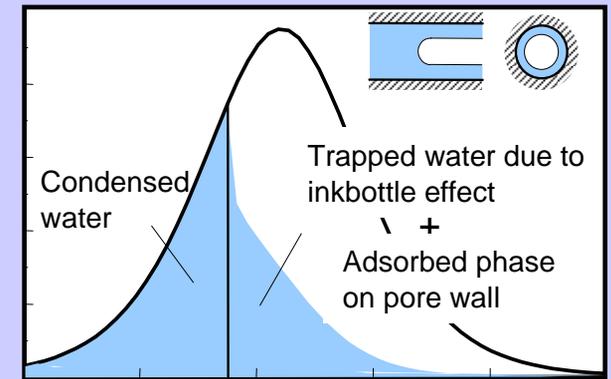
## Adsorbed phase on pore wall

B.E.T Theory

## Ink bottle effect

Statistical approach based on geometric characteristics of pores

## Pore distribution $dV/d \ln r$



Equilibrium interface  $\text{Log}(r)$

# Modeling of Moisture Equilibrium and Micro-pore Structure

## Moisture equilibrium model

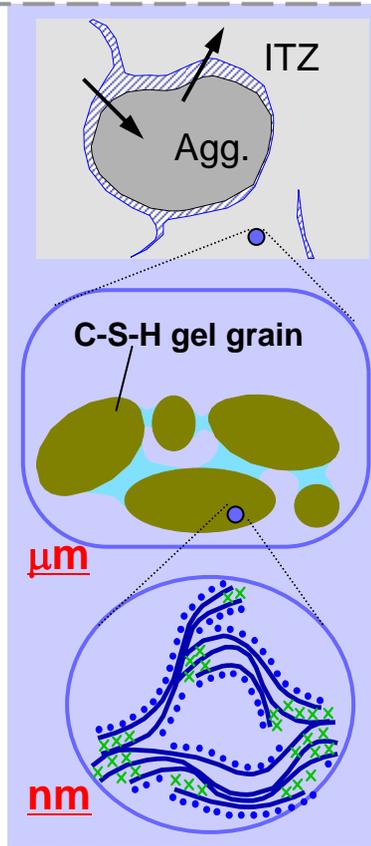
Local moisture transfer between agg. and HCP  
Connection of ITZ

## Condensed & adsorbed water

- Kelvin's eq. (Isothermal)
- Clausius-Clapeyron eq. (for arbitrary temp.)
- Inkbottle effect (Hysteresis)
- B.E.T. Theory

## Interlayer water

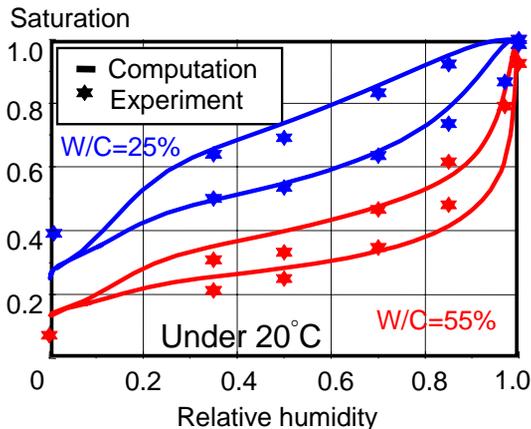
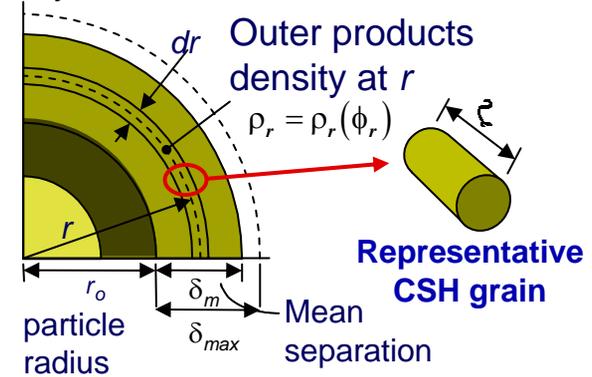
- Simplified empirical formula base on past researches



Hydration degree of matrix

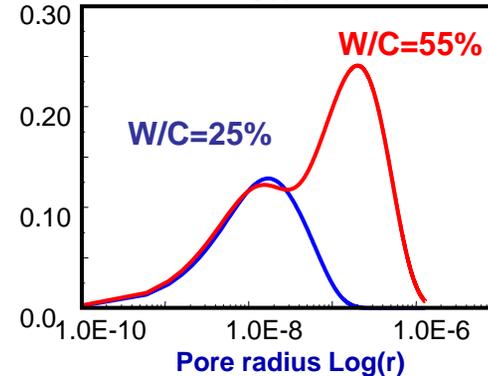
## Pore structure development model

- The particle growth volume and weight of inter and outer products
- Bulk porosity of capillaries, gel and interlayer
- Total surface area of capillaries, gel and interlayer



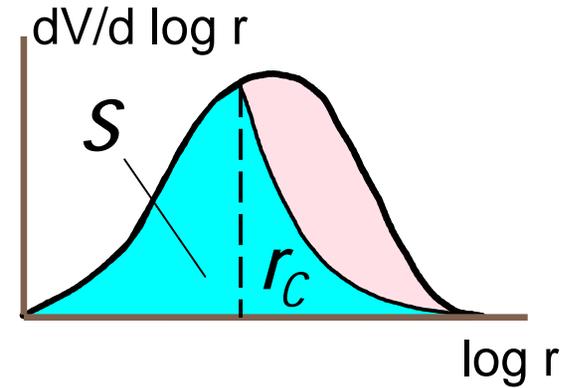
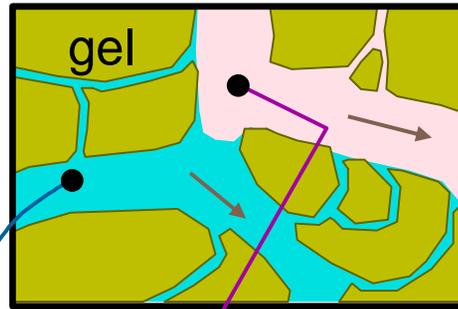
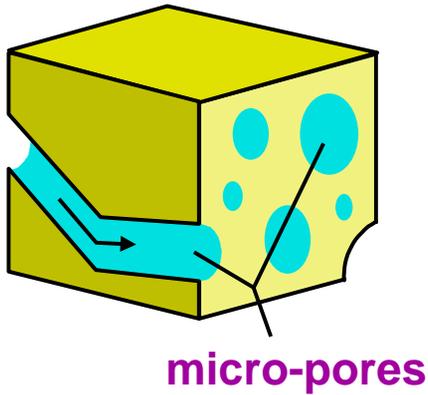
←  
←  
Calculated pore structure

## Pore volume dV/Log(r)



Porosity of capillary, gel and interlayer

# Moisture Conductivity of Concrete



*Model assumptions*

- Random spatial pore distribution
- Cylindrical shape of micro-pores
- Thermodynamic equilibrium of phases

**Vapor Transport**

$$K_V = \frac{\phi \rho_v D_o}{2.5} [(1-S) K(h)] \left[ \frac{Mh}{\rho_l RT} \right]$$

**Knudsen diffusion factor**

**Liquid Transport**

$$K_L = \frac{\phi^2 \rho_l}{50\eta} \left[ \int_0^r r dV \right]^2$$

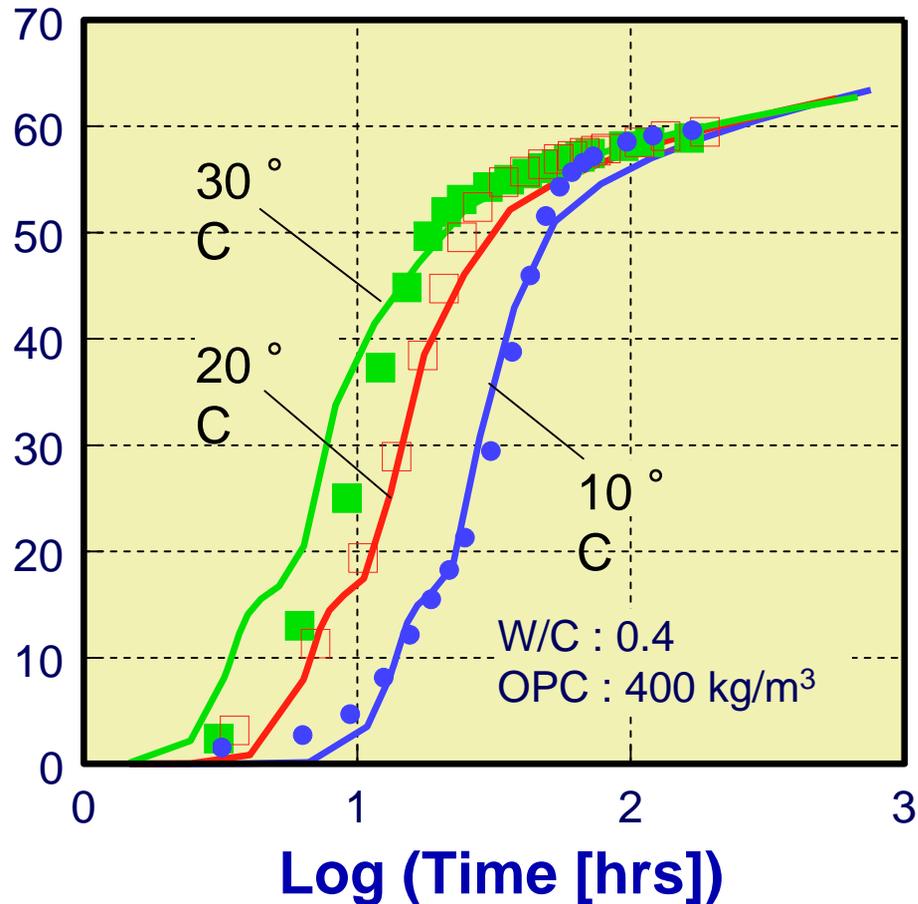
**History dependent liquid viscosity**

**Total Conductivity  $K =$  Liquid Conductivity  $K_L +$  Vapor Conductivity  $K_V$**

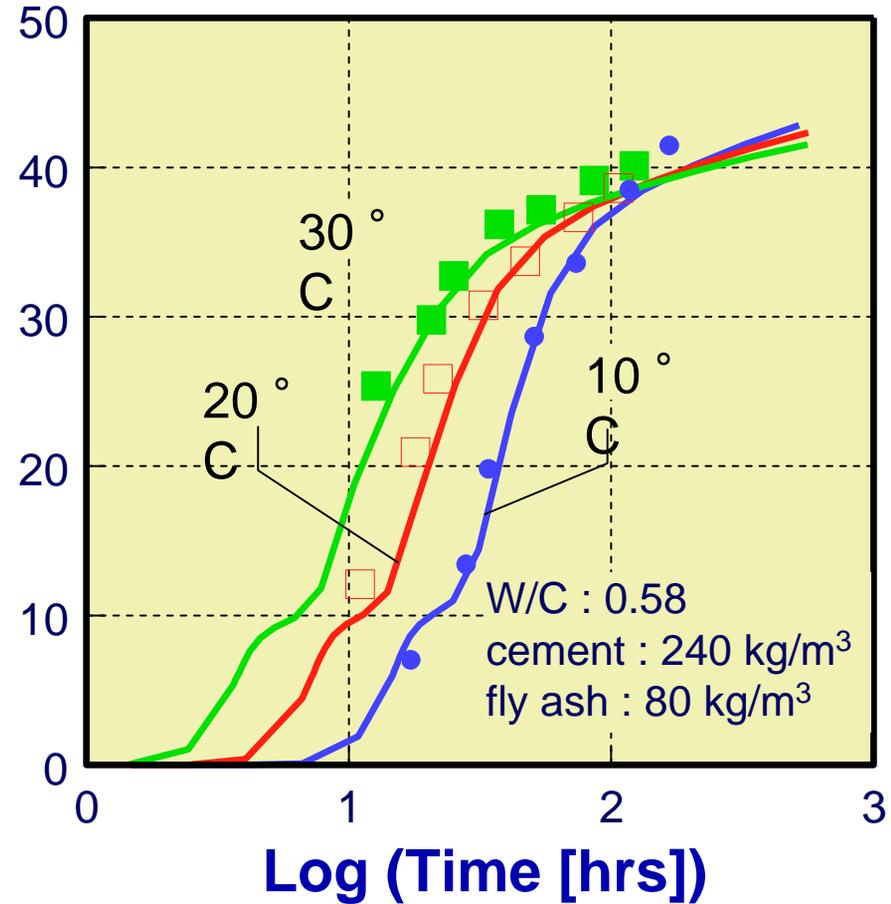
# Influence of Casting Temperature

Comparison of predicted and measured temperature rise for different casting temperatures and various cement types.

## Temperature rise [ $^{\circ}\text{C}$ ]

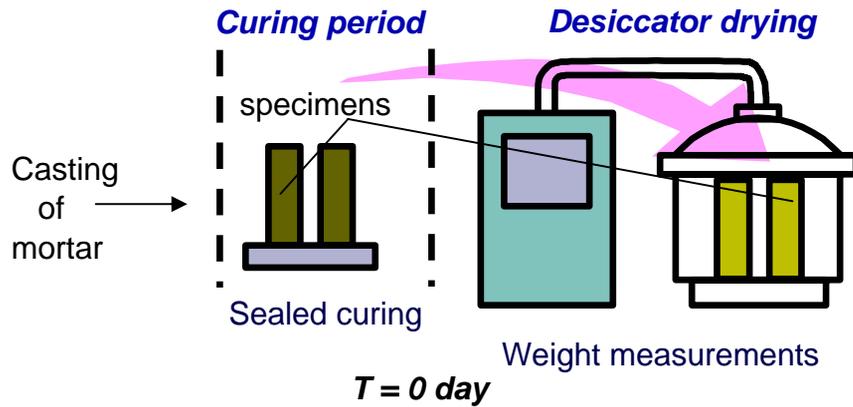


## Temperature rise [ $^{\circ}\text{C}$ ]



# Prediction of moisture loss behavior for early age under severe conditions

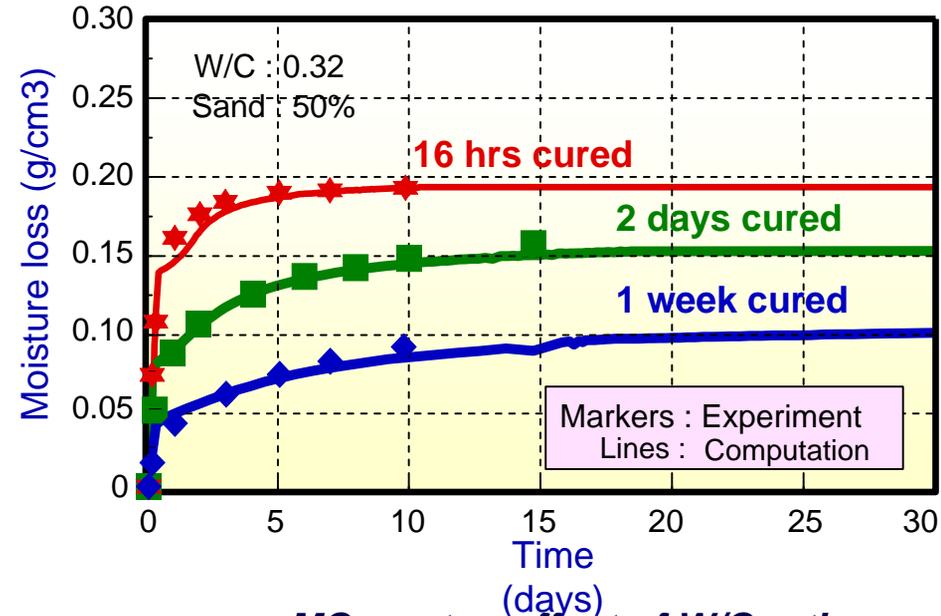
## EXPERIMENTAL PROCEDURE :



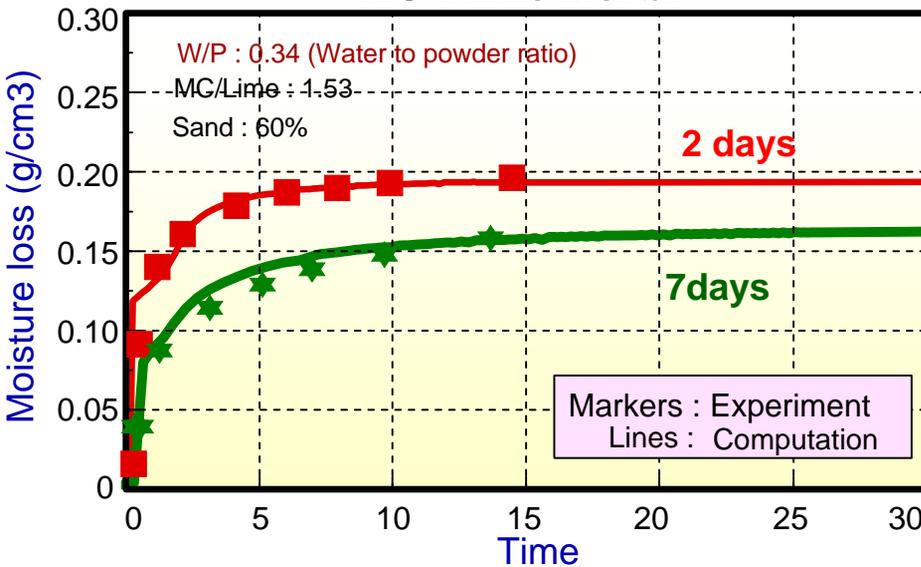
## FEM ANALYSIS :



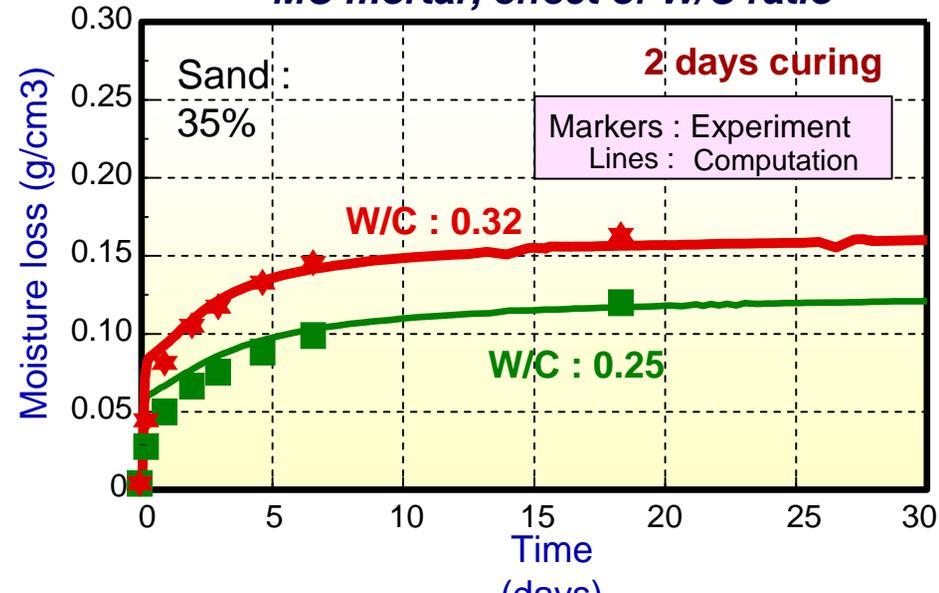
## MC mortar, effect of curing time



## MC + lime mortar



## MC mortar, effect of W/C ratio



# Moisture loss behaviors under different temperature

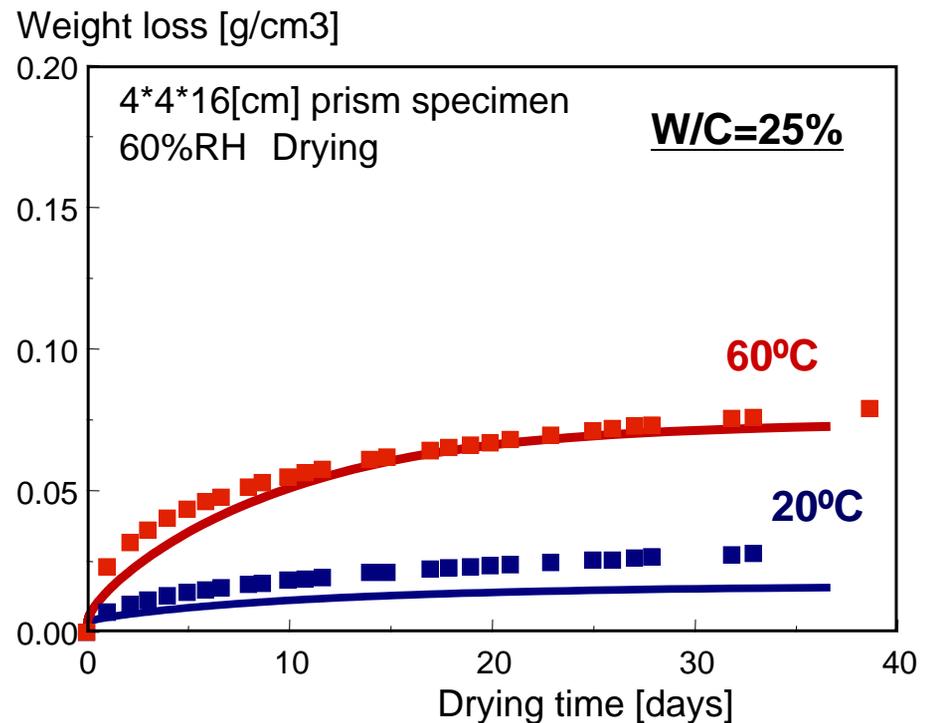
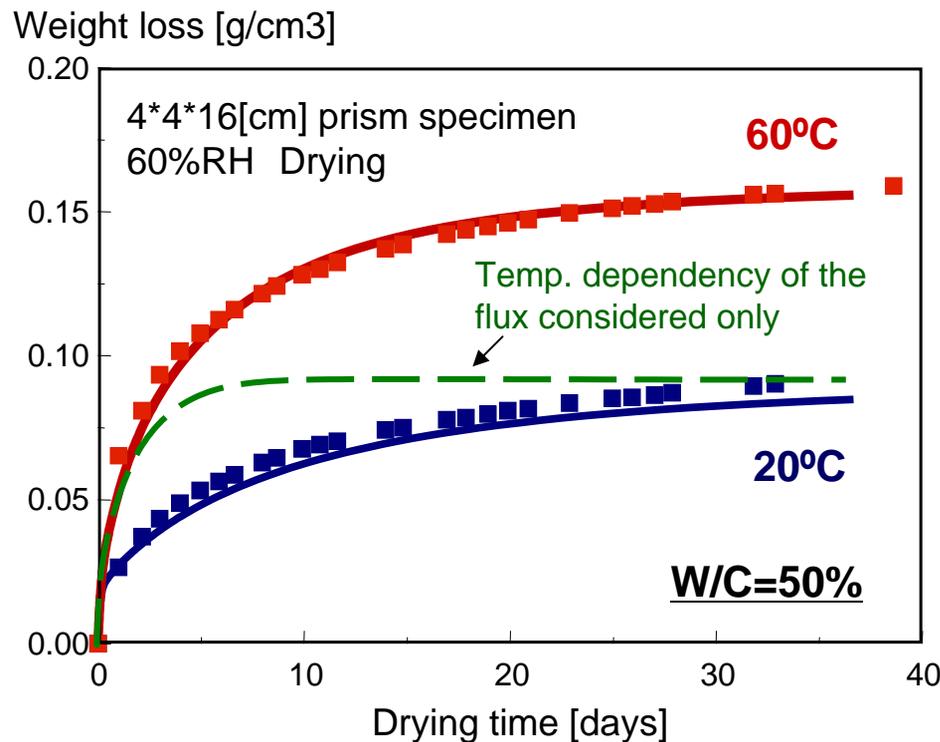
## Temperature-dependent moisture isotherm model

- Two phase equilibrium (Clausius-Clapeyron eq.)
- Temp. dependency of surface tension
- Time-dependency of inkbottle water
- Temp-dependency of interlayer water

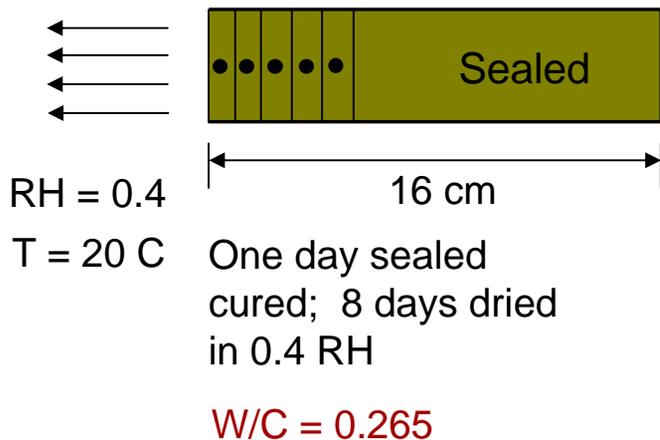


## Moisture flux under arbitrary pressure & temperature gradient

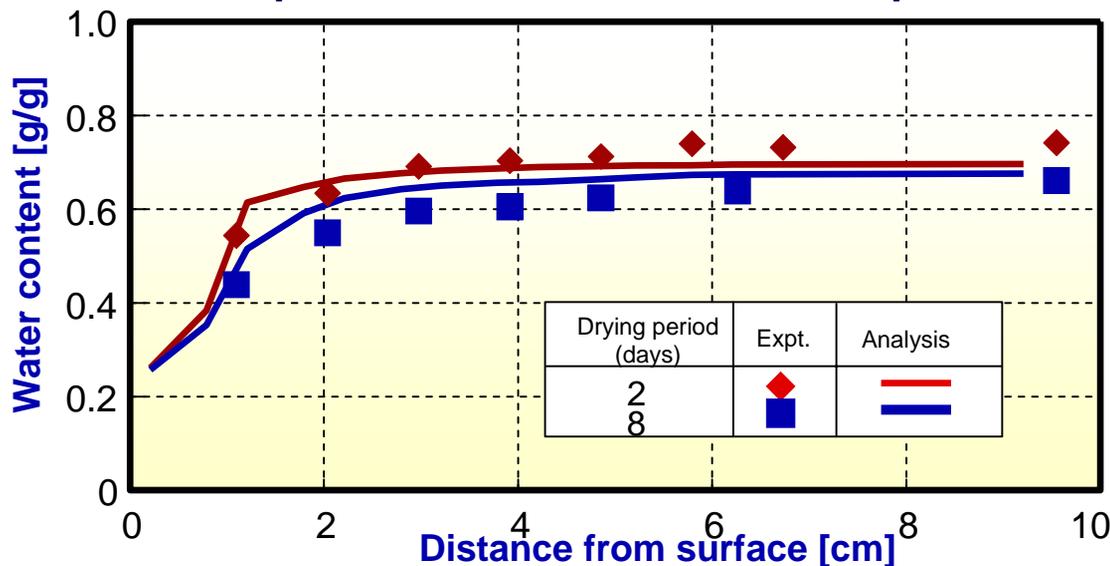
- Mass flux potential based on partial pressure of vapor
- Temp. dependency of vapor diffusivity
- Temp. dependency of liquid viscosity



# Verification of the influence of early age drying on microstructure development

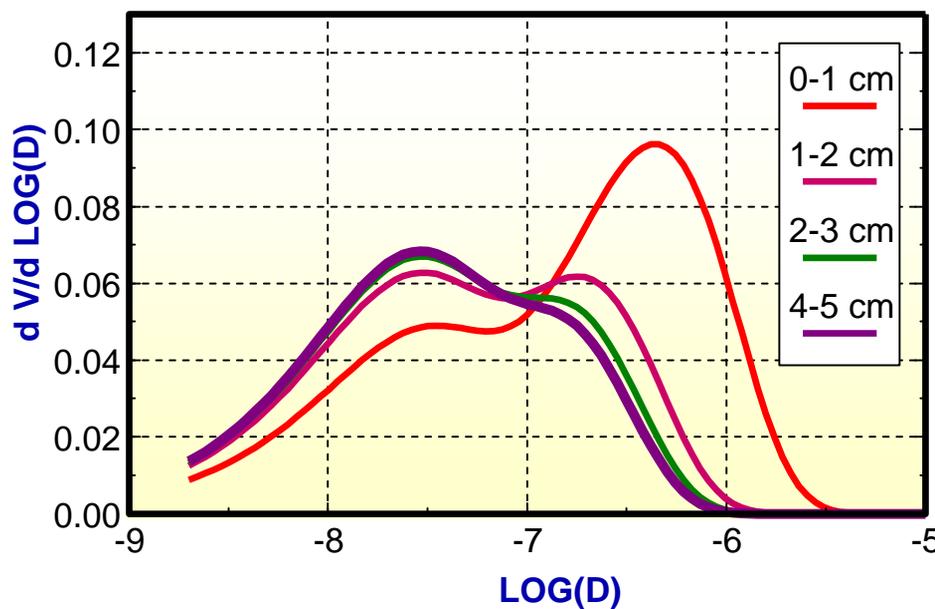
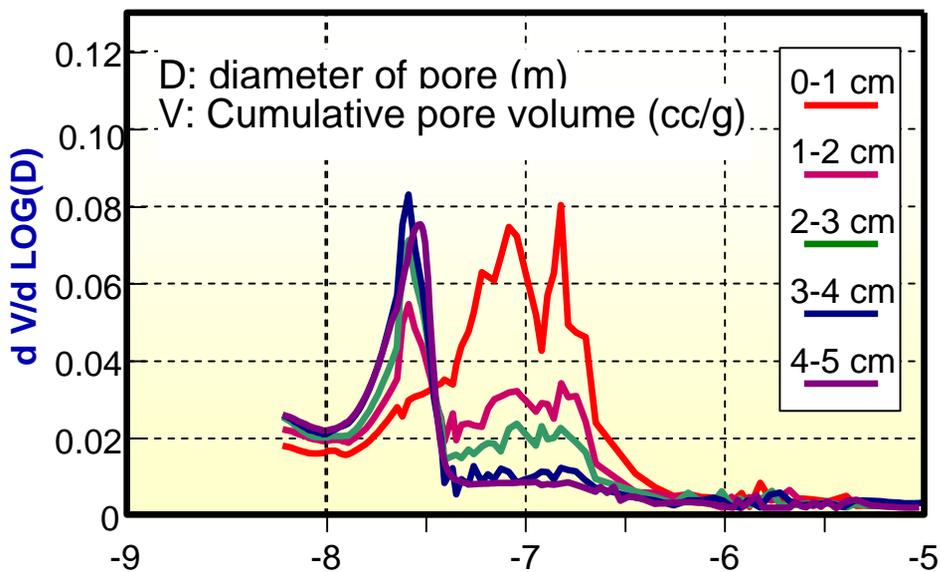


## Computed and measured moisture profiles



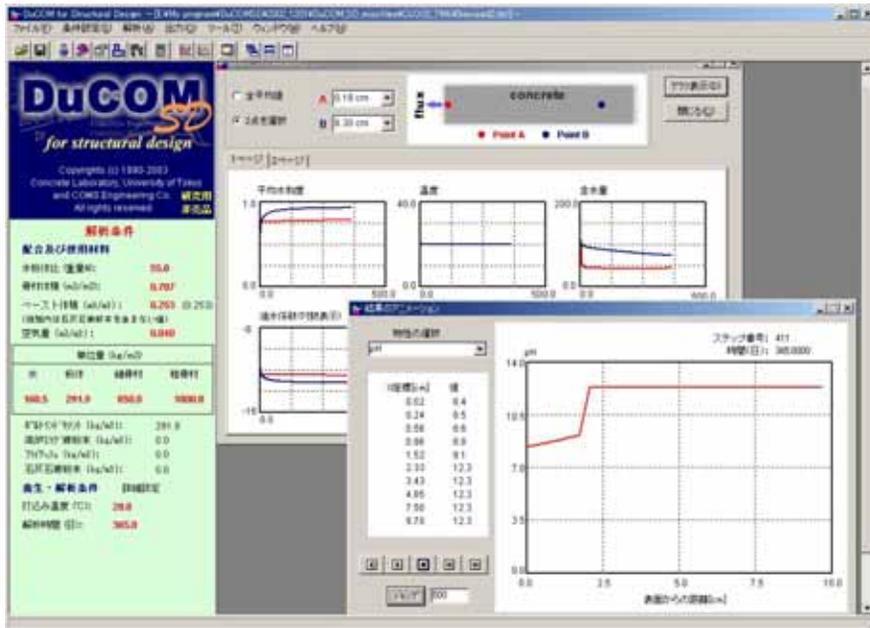
## Measured pore distribution

## Computed pore distribution



# Durability Simulation Tool on Windows Environment

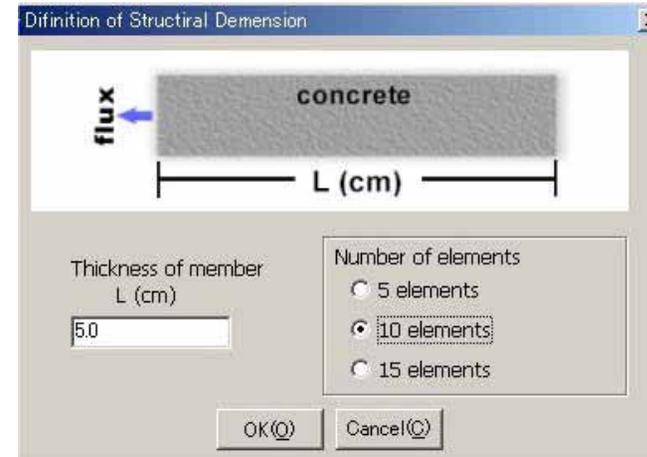
## - DuCOM for Structural Design -



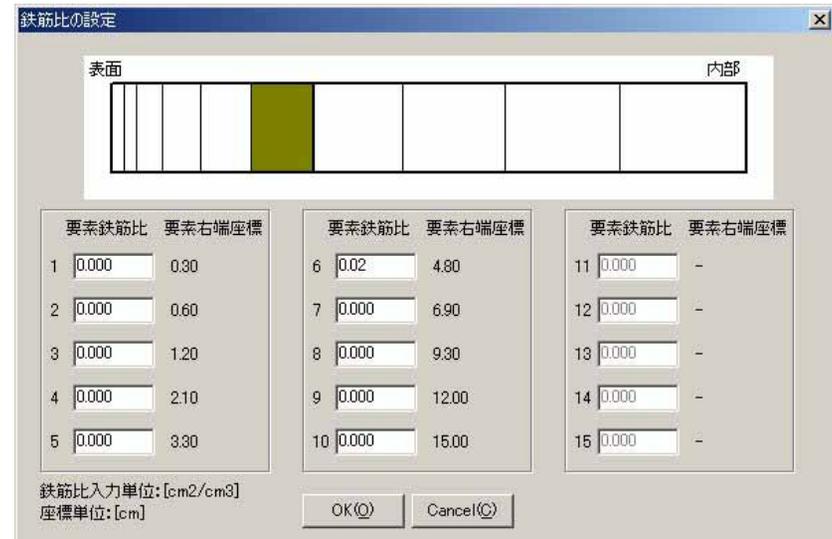
- The system covers 1-D mass/energy transport (heat generation/transport, moisture loss, chloride penetration, carbonation, corrosion, etc.)
- 1-D simulation can represent most deterioration phenomenon (full 3-D analysis is not always necessary for typical durability assessments)
- 1~2 hours computation for several decades~ a hundred years (in case of cyclic drying-wetting)

<http://www.comse.co.jp>

### Definition of structural dimension



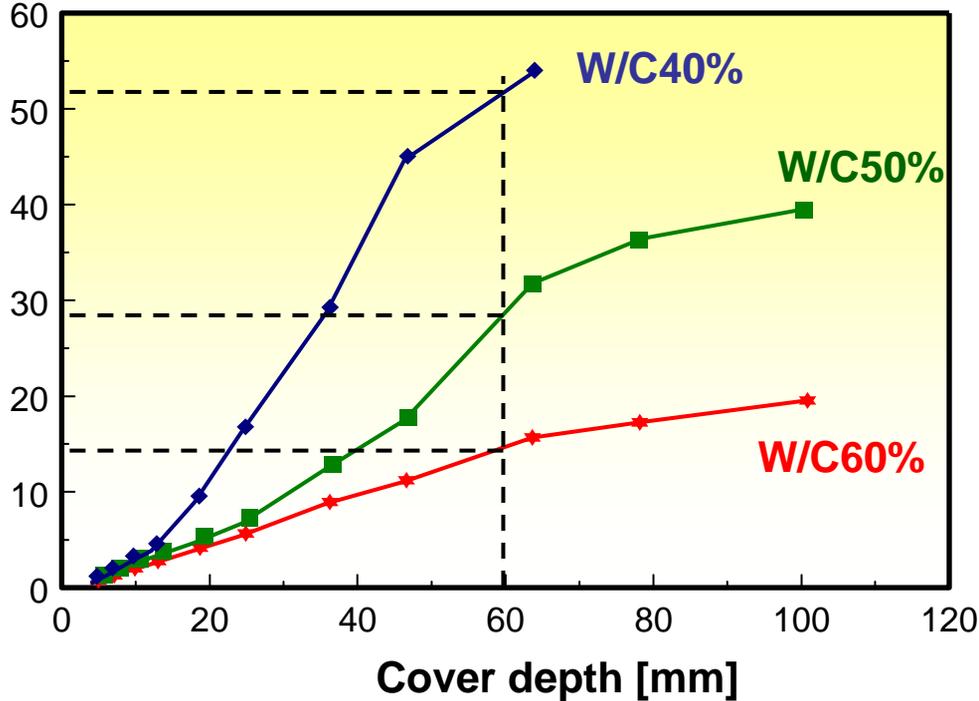
### Definition of reinforcements



# Performance evaluation of RC structures under environmental actions

-- Simulation of steel corrosion in RC guarder bridge exposed to marine environment --

Structural age until cracking due to corrosion [year]



If cover depth is 60mm ..

W/C40%: After 52 years, repair needed.

W/C50%: After 28 years, repair needed.

W/C60%: After 15 years, repair needed.

Target structure

RC T shaped guarder bridge

Environmental conditions

Marine environment

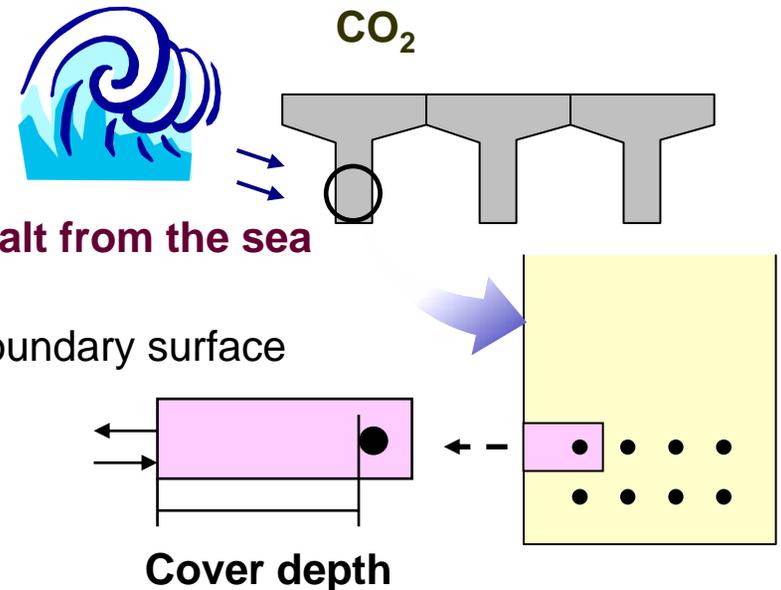
CO<sub>2</sub> concentration: 0.07%

O<sub>2</sub> concentration : 20%

Concentration of Cl<sup>-</sup>: 0.51[mol/l]

Cyclic drying-wetting conditions

60%RH (10days) ↔ 99%RH (10days)



# DuCOM Coupled Computational Scheme

-Thermo-hygro physics for materials-

**Basic Equation** 
$$\frac{\partial S(\theta_i)}{\partial t} + \text{div} \mathbf{J}_i(\theta_i, \nabla \theta_i) - Q_i(\theta_i) = 0$$

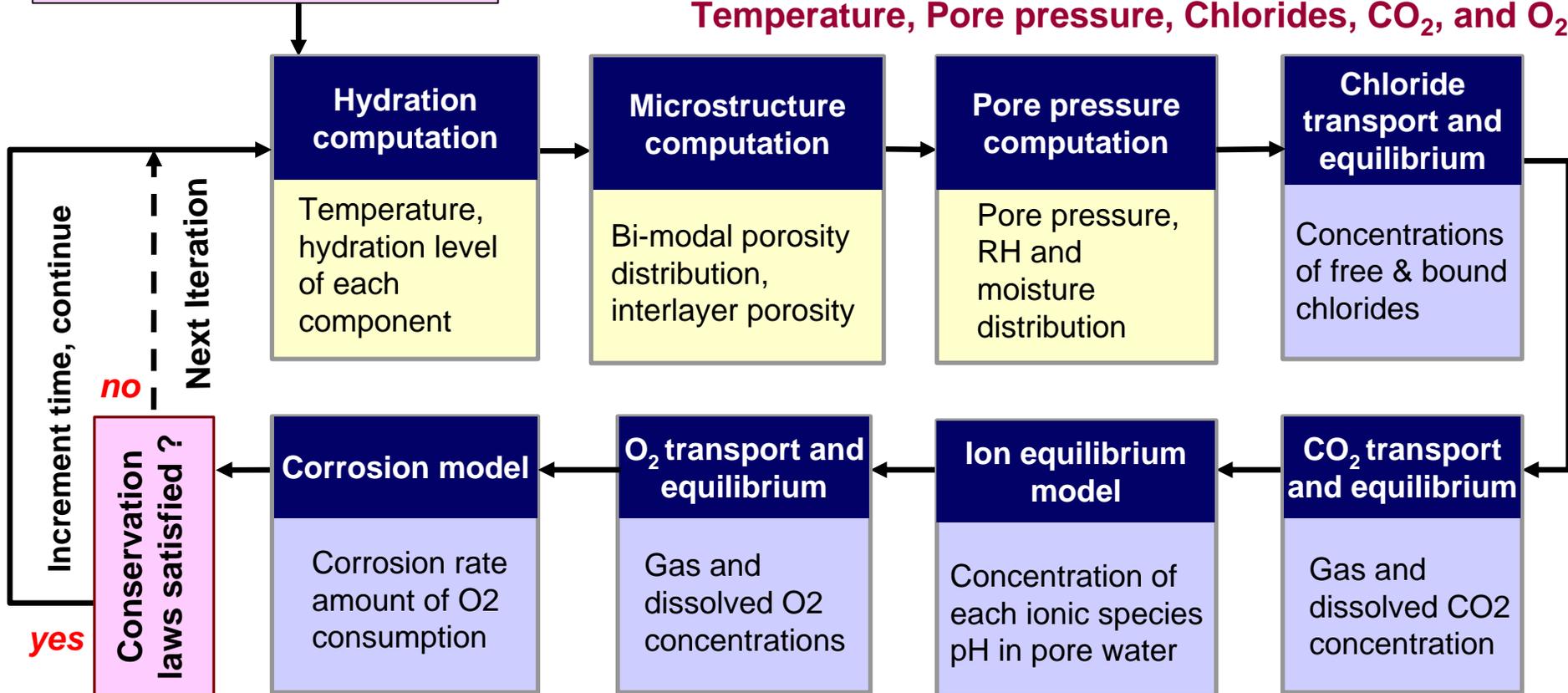
Potential term      Flux term      Sink term

$\theta_i$ ; **Degree of freedom**

Temperature, Pore pressure, Chlorides, CO<sub>2</sub>, and O<sub>2</sub>

START

Size, shape, mix proportions, initial and boundary conditions

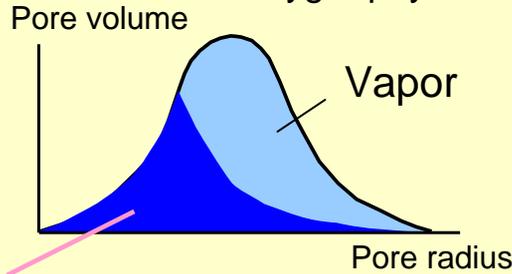


Each term has been formulated based on thermodynamics, chemical equilibrium and electrochemistry

# Mass balance condition for free chlorides

## Potential term

Porosity and saturation directly obtained by thermo-hygro physics



**Liquid**  
(path for transport, ionic capacity)

## Sink term

Rate of binding of free chloride to bound chloride per unit volume



Chloride equilibrium model  
(Model describing the relationship between free and bound chloride)

Governing equation 
$$\frac{\partial}{\partial t}(\phi S C_{Cl}) + \text{div} \mathbf{J}_{Cl} - Q_{Cl} = 0$$

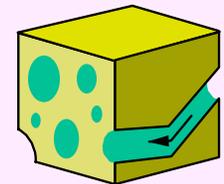
## Flux term

$$\mathbf{J}_{Cl} = -\frac{\phi S}{\Omega} \delta \cdot D_{Cl} \nabla C_{Cl} + \phi S \mathbf{u} C_{Cl}$$

Diffusion due to ionic concentration difference

## Convective term

$\mathbf{u}$ ; Velocity vector of pore water  
→ Obtained by liquid transport model



# Modeling of Chloride transport

## 2. Chloride ion transport

$$J_{ion} = - \left( \frac{\phi \cdot S}{\Omega} \cdot \delta \cdot D_{ion} \right) \cdot \nabla C_{ion} + \phi \cdot S \cdot \mathbf{u} \cdot C_{ion}$$

**Ionic diffusion**

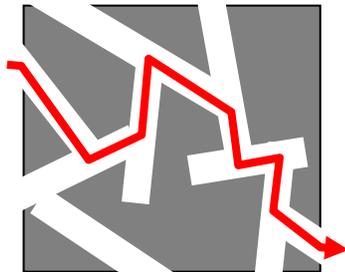
due to concentration gradients

**Advective transport**

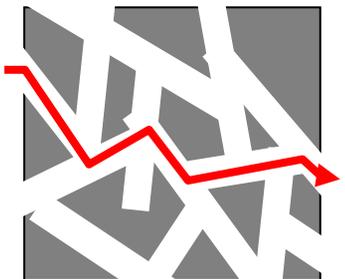
due to bulk movement

Reduction factor of ion diffusion due to property of pore structure

**Tortuosity**  $\Omega$

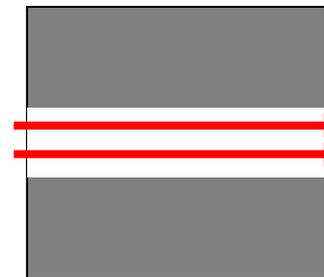


$\phi$  small  
 $\Omega$  large

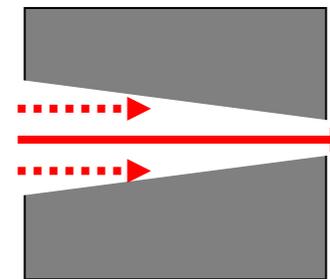


$\phi$  large  
 $\Omega$  small

**Constrictivity**  $\delta$



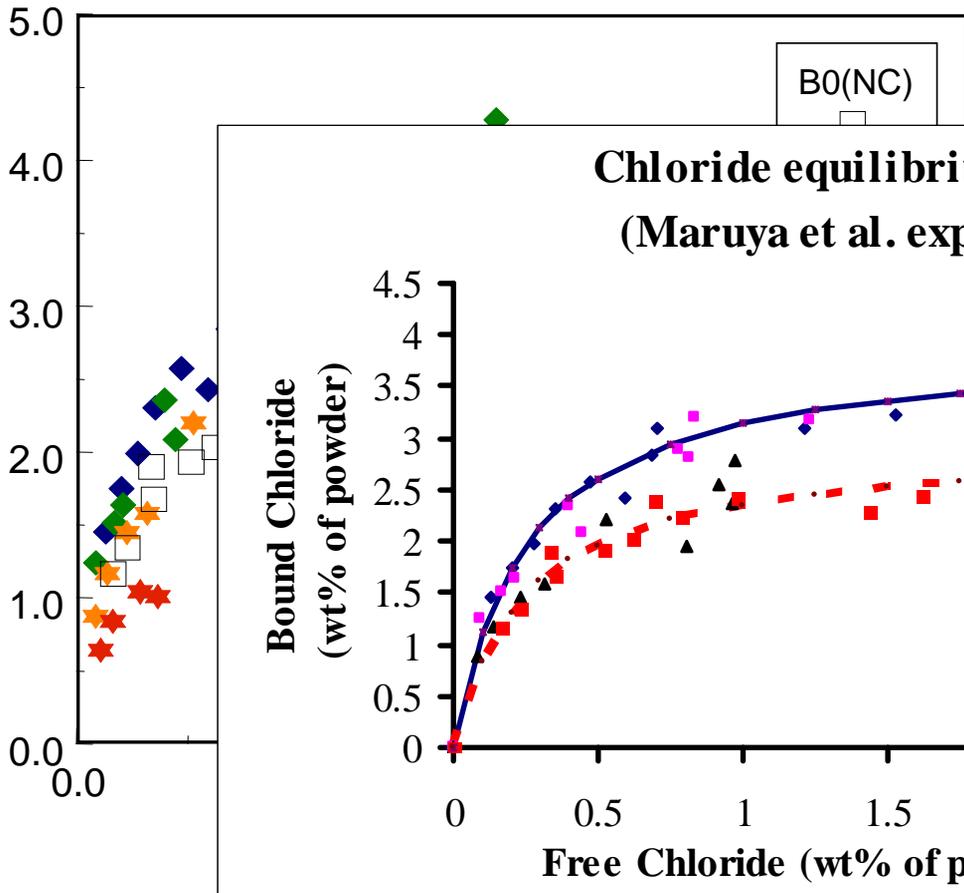
$\delta = 1.0$



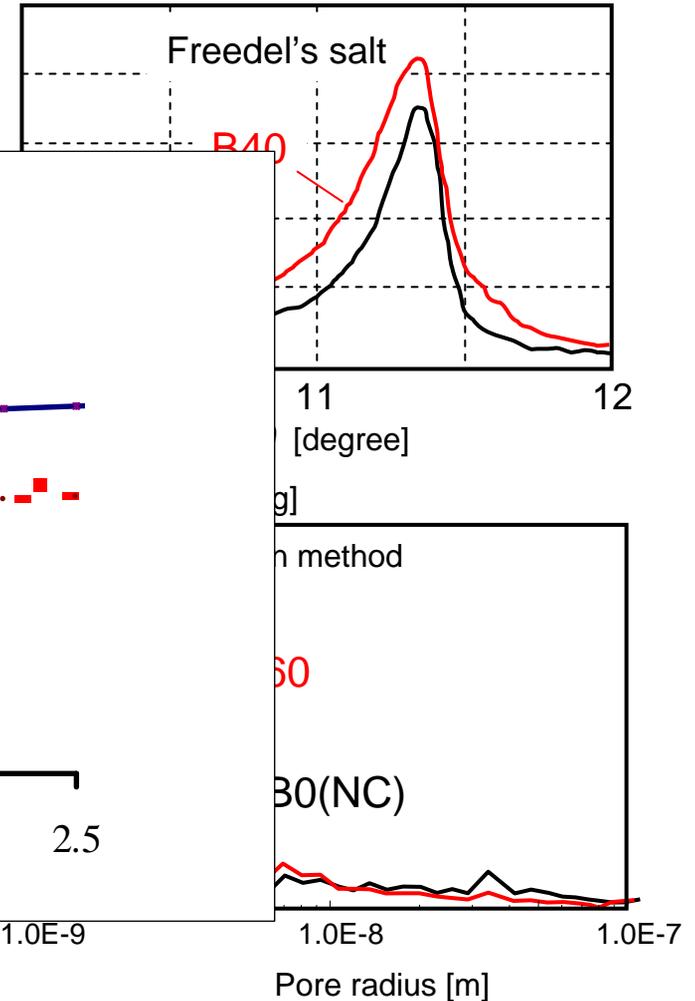
$\delta < 1.0$

# Effect of BFS Use on Chloride Binding Capacity

Bound Chloride [wt% of powder]



Diffraction strength



**Use of BFS leads to**

Change of Pore Structure (Ads. Cl change)

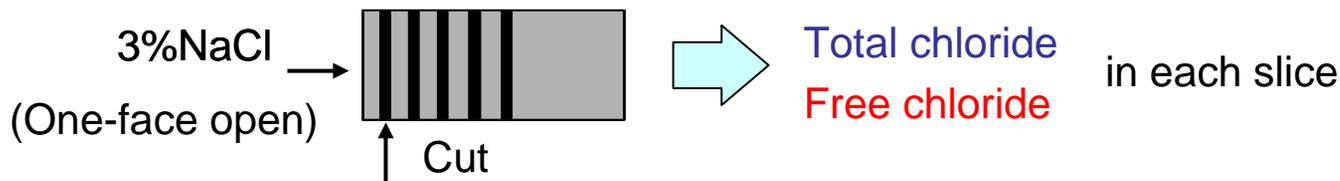
Al<sub>2</sub>O<sub>3</sub> Increase (Bound Cl change)



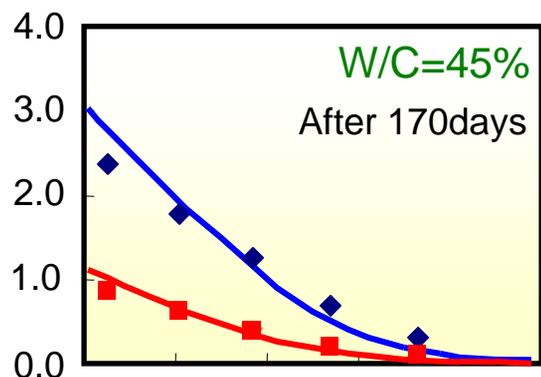
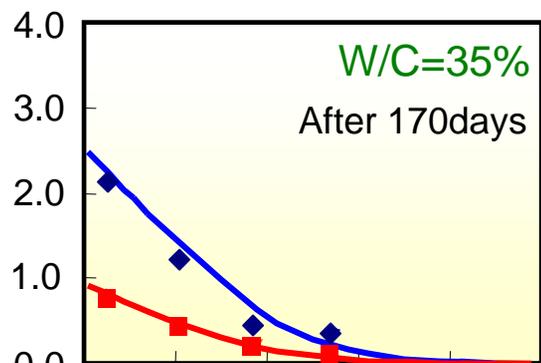
How much ?

# Chloride distribution under submerged condition

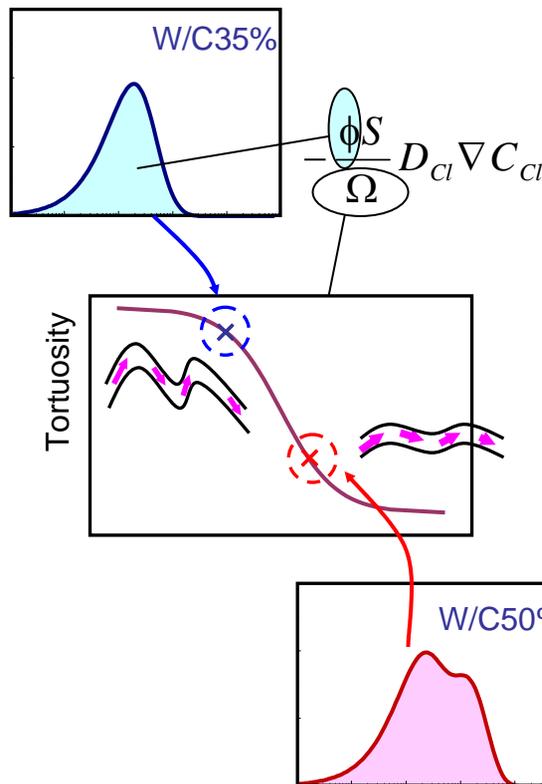
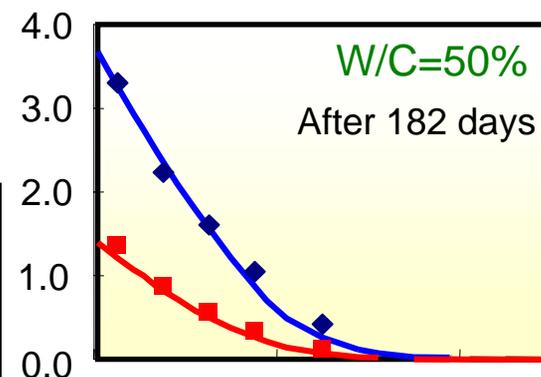
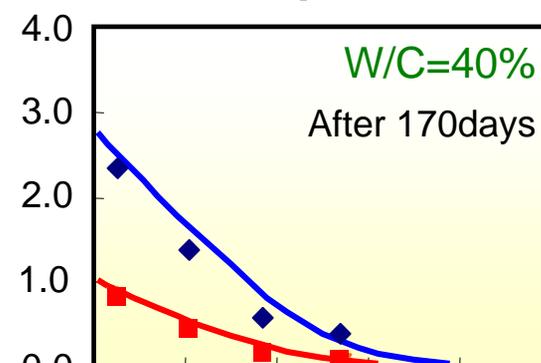
—W/C35%~50% OPC mortar —



Chloride content [wt% of cement]

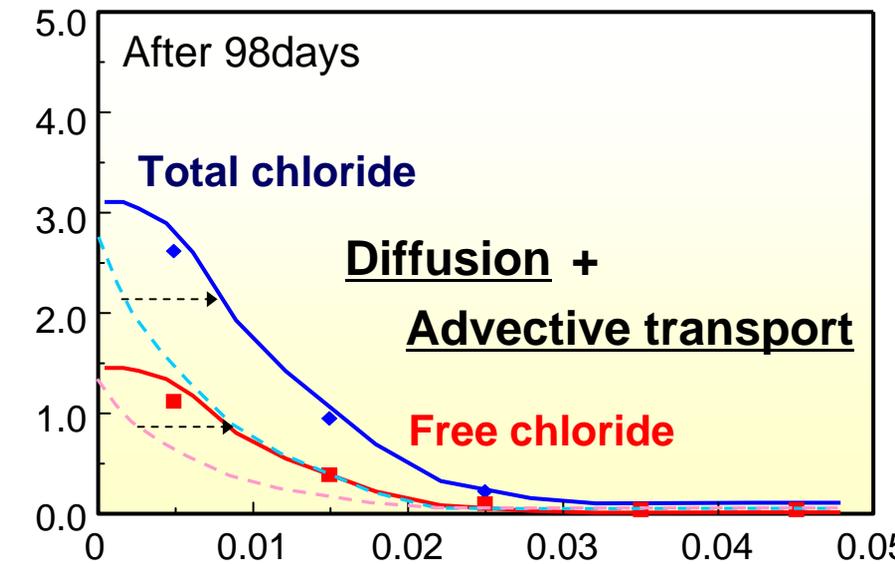
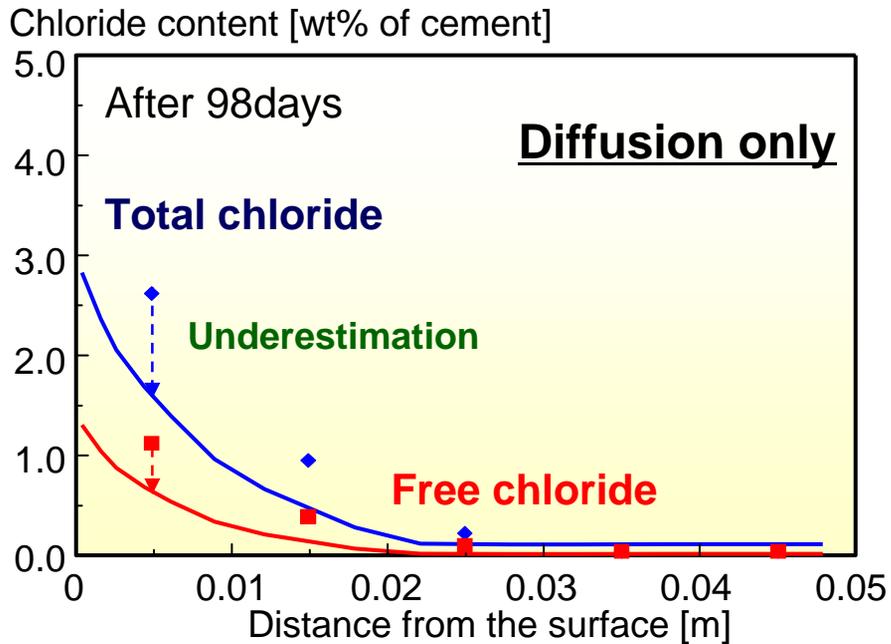
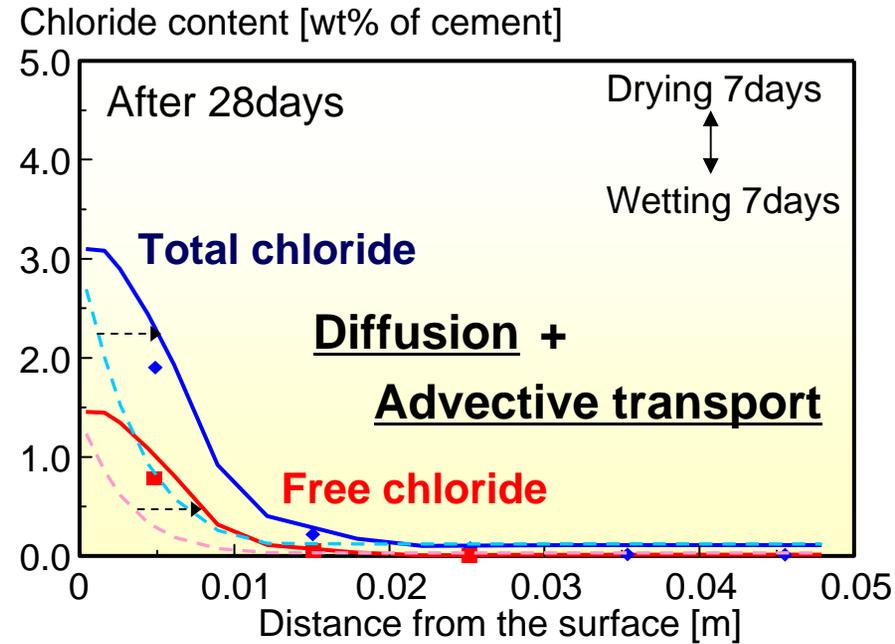
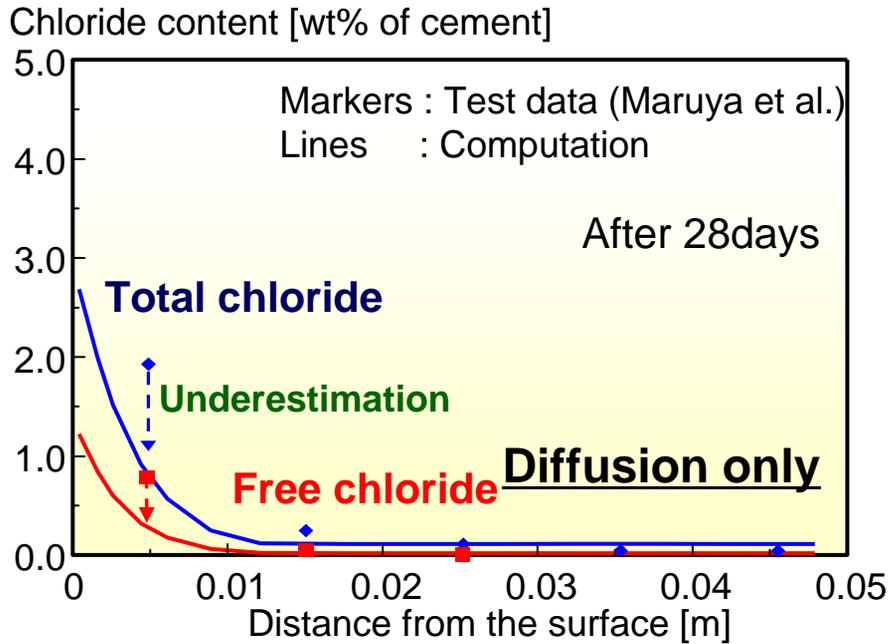


Chloride content [wt% of cement]



- Exp. Total chloride
- Exp. Free chloride
- Analysis Total chloride
- Analysis Free chloride

# Chloride content profile in concrete exposed to cyclic wetting and drying



# Conventional approach to carbonation phenomena & Features of this research

$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2}$$

Linear diffusion equation



$$X_c = b\sqrt{t}$$

Square root  $t$  equation

$X_c$ ; Carbonation depth

$b$ ; Carbonation rate coefficient

↳ Water to cement ratio, strength, environmental conditions...

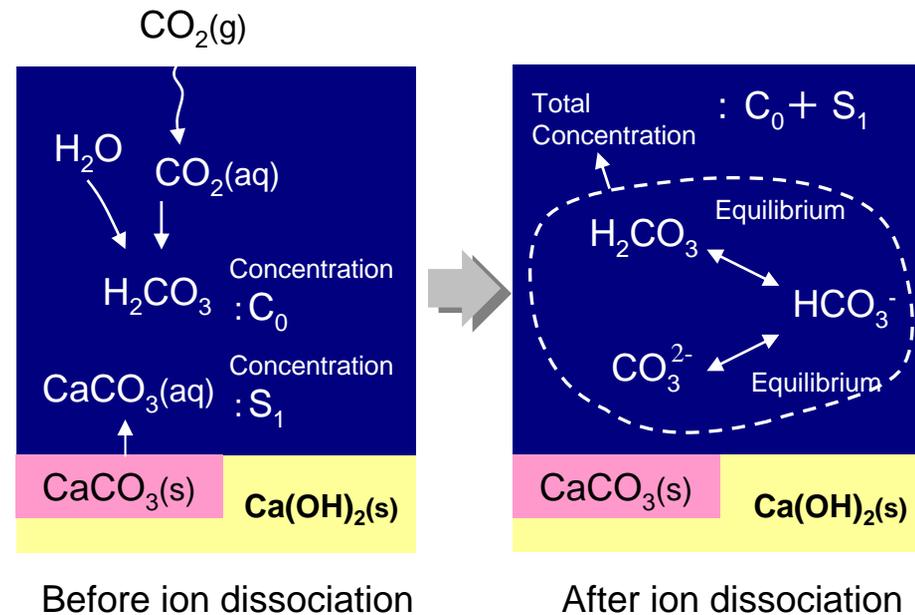
## Features of this research

### ■ Strict consideration of ions equilibrium

- Dissolution of carbon dioxide
- Dissolution and re-dissolution of precipitations depending on pH
- Dissociation of reactive mass
- Common ion effect

### ■ Modeling of carbon dioxide transport

- Hindered diffusion in both the dissolved and gaseous phases.
- Nonlinear diffusion process depending on pore structures and moisture profile



→ pH profile in pore water can be obtained for arbitrary conditions

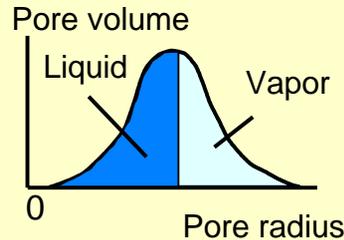
# Mass balance condition for gas and dissolved carbon dioxide

## Potential term

Gas  $\longleftrightarrow$  Dissolved  $\text{CO}_2$

Based on Henry's law

Porosity and Saturation directly obtained by thermo-hygro physics



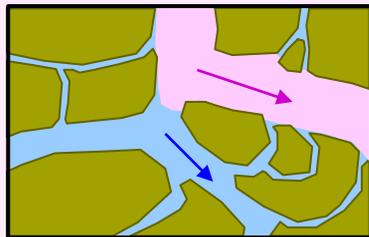
## Sink term

Consumption rate of  $\text{CO}_2$  due to carbonation

- Modeling of carbonation reaction
- Modeling of ion equilibriums

$$\frac{\partial}{\partial t} \{ \phi [(1-S) \cdot \rho_{g\text{CO}_2} + S \cdot \rho_{d\text{CO}_2}] \} + \text{div} J_{\text{CO}_2} - Q_{\text{CO}_2} = 0$$

## Flux term



Porosity and Saturation

**Gas**

**Dissolved**

$$J_{\text{CO}_2} = - \left( D_{g\text{CO}_2} \nabla \rho_g + D_{d\text{CO}_2} \nabla \rho_d \right)$$

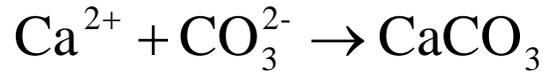
$$\frac{\phi D_0^g (1-S)^4}{\Omega} N_k(h)$$

$$\frac{\phi S}{\Omega} D_0^d$$

- Knudsen diffusion factor
- Effect of tortuosity and connectivity of pores

## Modeling of carbonation reaction

### Carbonation reaction



Reaction of silicic acid calcium hydroxide (C-S-H) is not considered

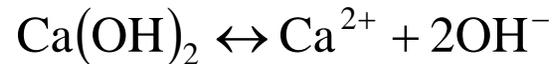
→ Its solubility is quite low compared with calcium hydroxide

### Rate of carbonation reaction

$$Q_{\text{CO}_2} = \frac{\partial(C_{\text{CaCO}_3})}{\partial t} = k[\text{Ca}^{2+}][\text{CO}_3^{2-}]$$

Reaction velocity coefficient

## Modeling of ions equilibrium



Ion dissociation, Solubility of precipitations

→ Depending on pH in pore solutions

- Law of mass action
- Mass conservation law
- Proton balance

- Each acid-base reaction
- Solubility of each product
- Common ion effect

Concentration of proton

Concentration of each ion at arbitrary stage

# Simulation of carbonation progress I

- Verification with accelerated carbonation tests -

## Input

Mix proportion (W/C)  
Relative humidity  
CO<sub>2</sub> Concentration



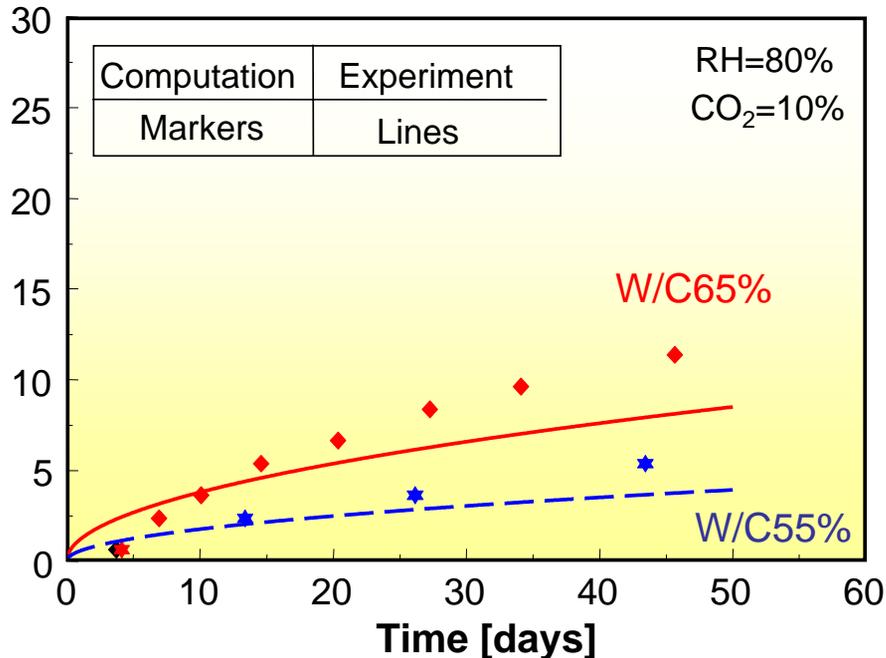
Profile of Pore structure  
Moisture distribution  
Amount of Ca(OH)<sub>2</sub>



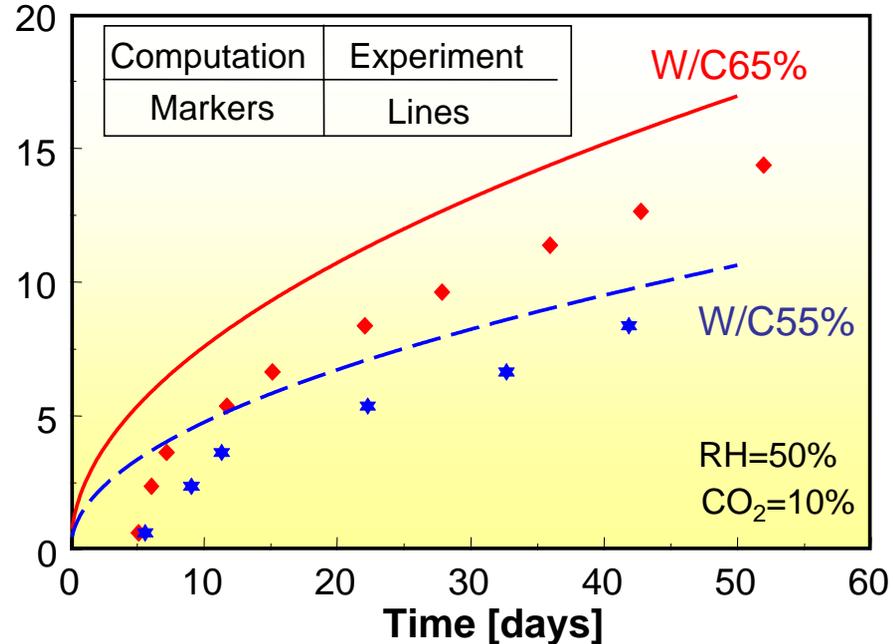
## Output

pH value in pore water  
Reacted Ca(OH)<sub>2</sub>

## Depth of carbonation [mm]

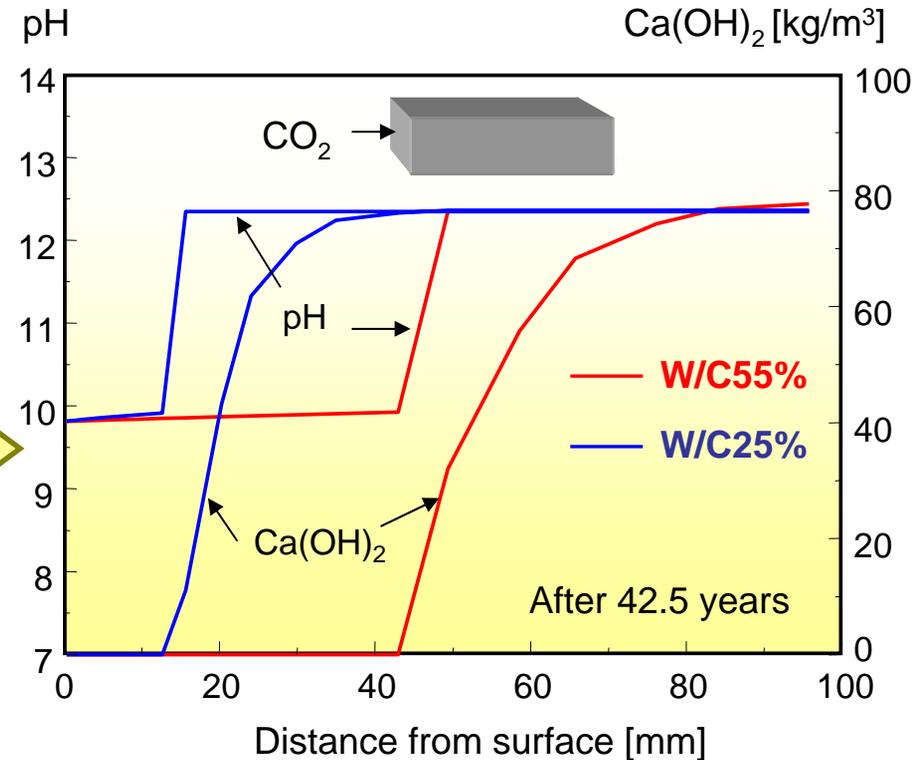
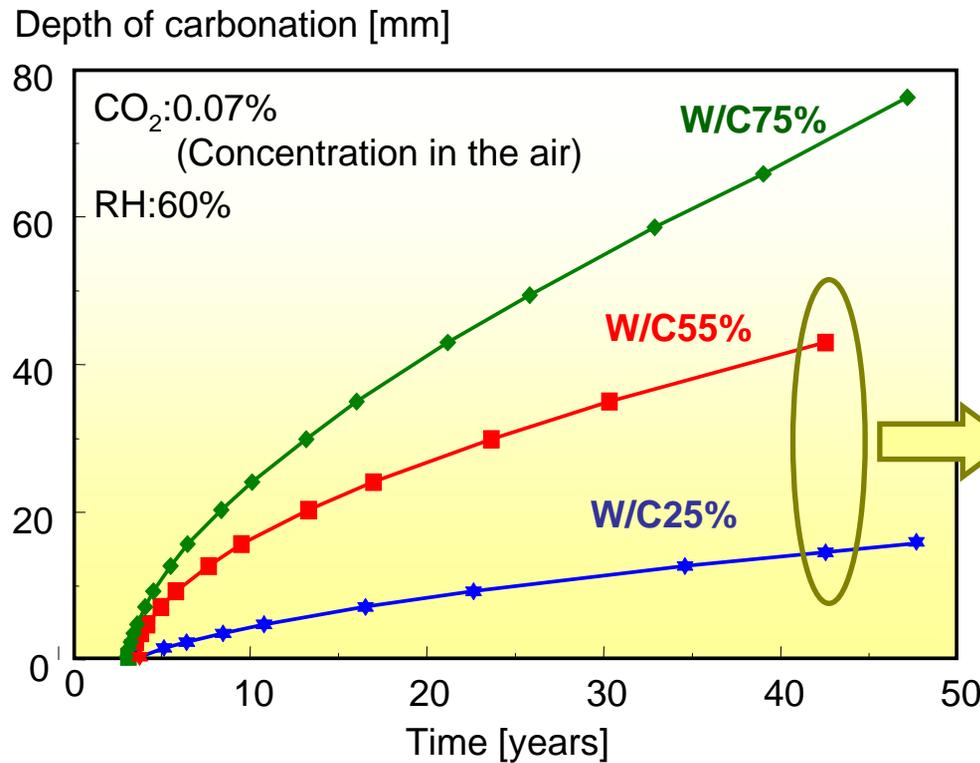


## Depth of carbonation [mm]

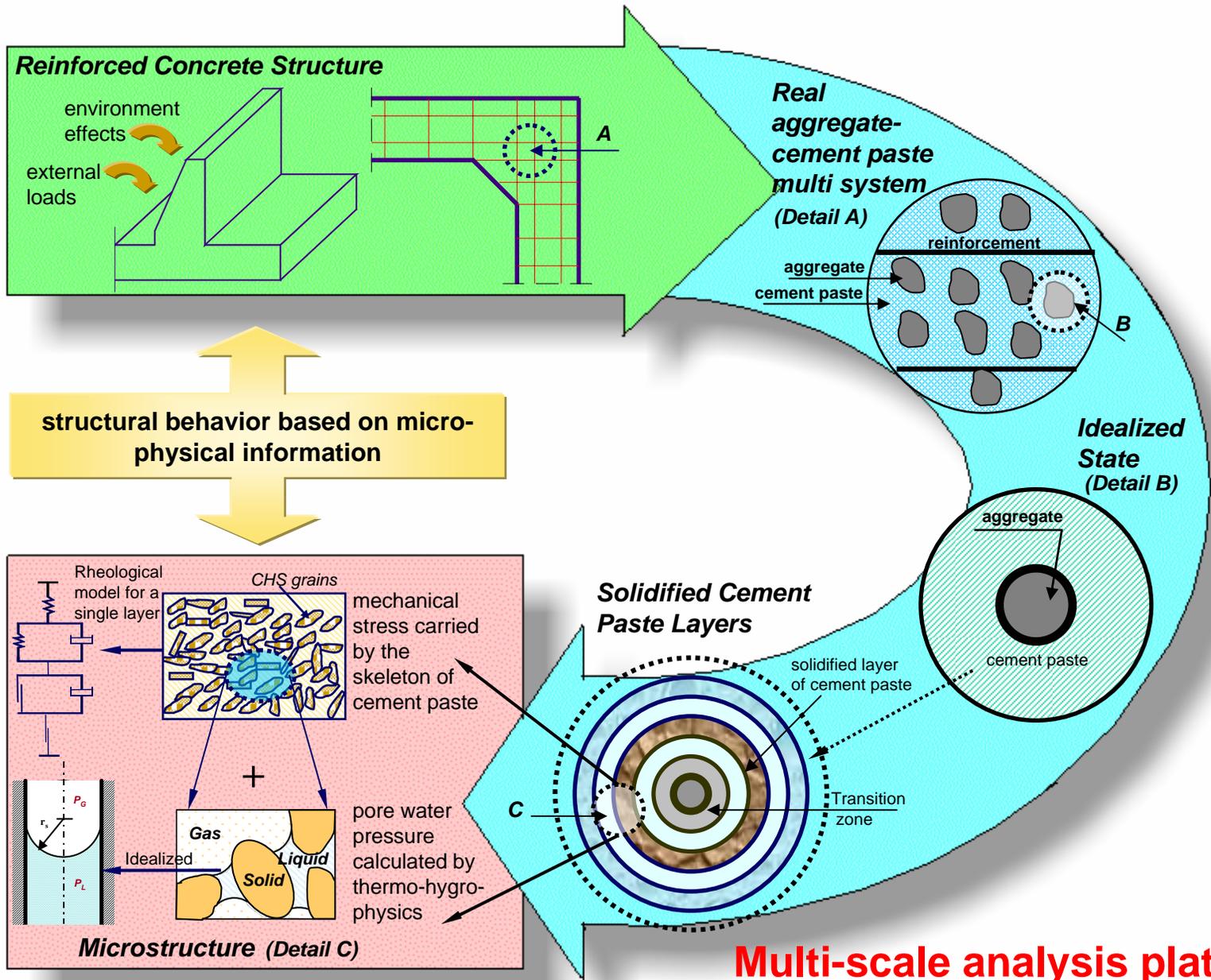


# Simulation of carbonation progress II

- pH fluctuation for different W/C cases under normal environmental condition-

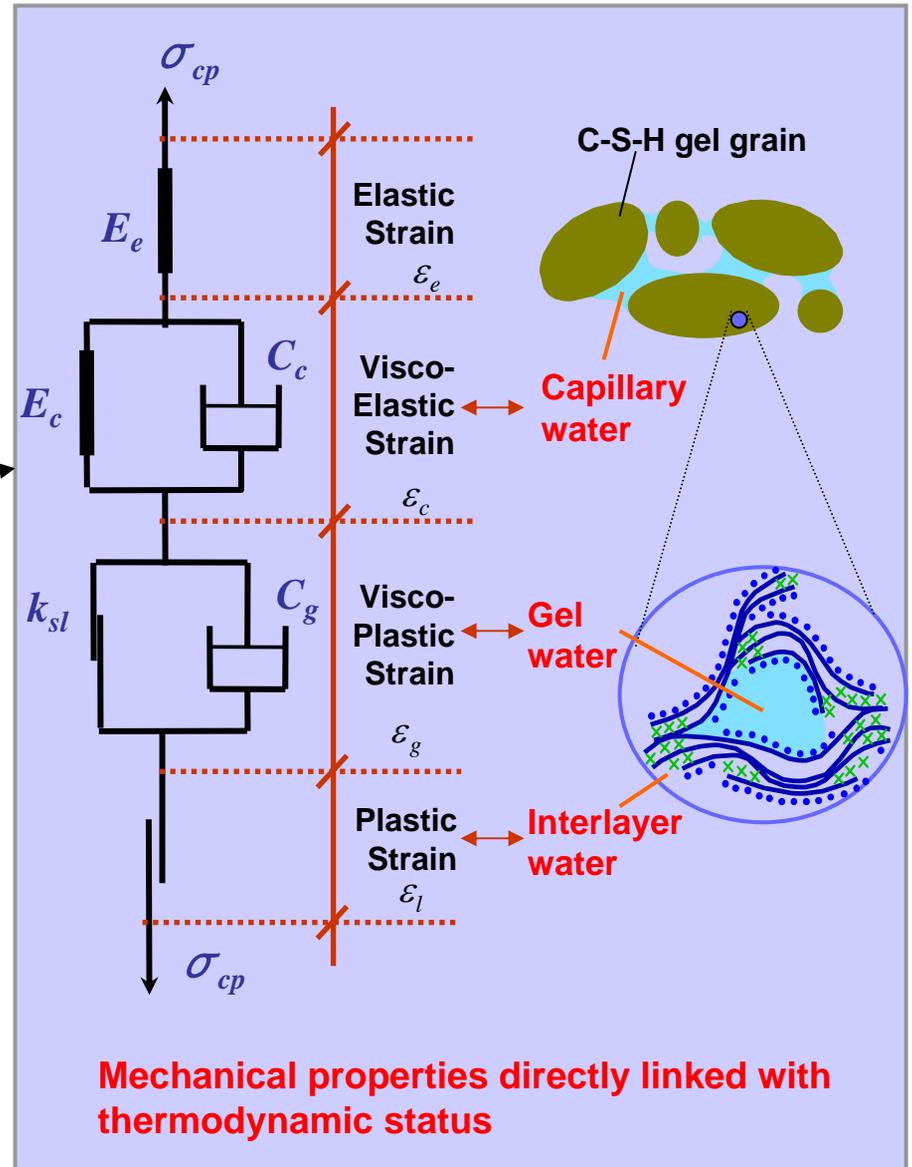
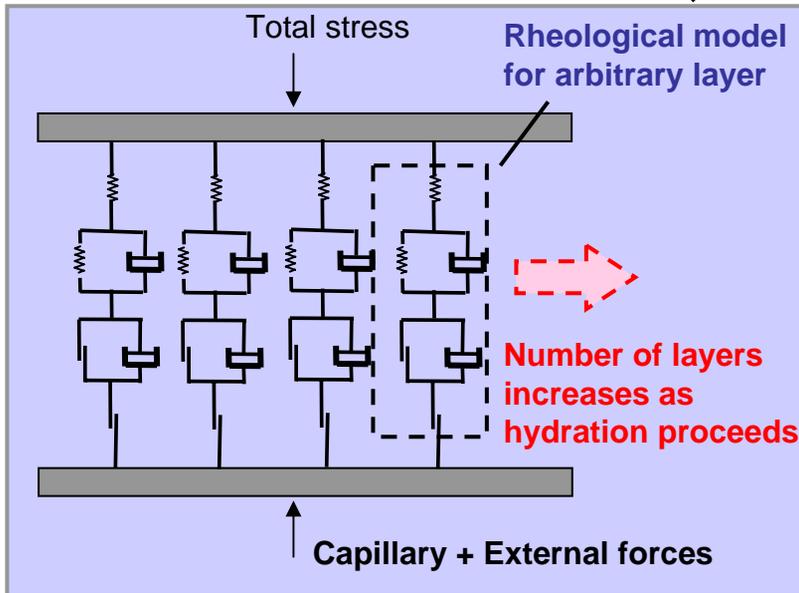
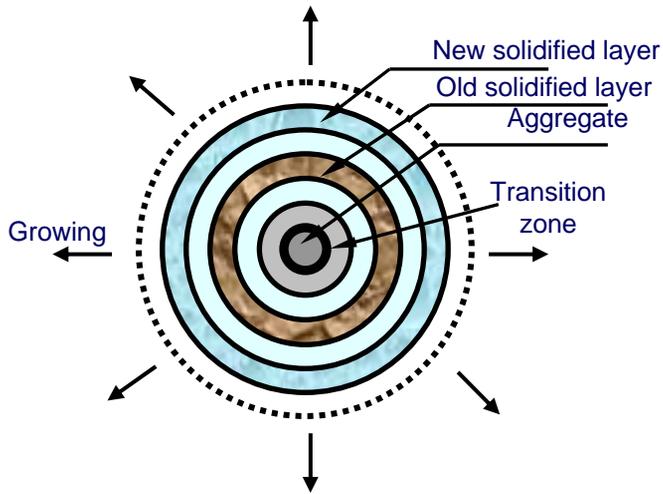


# Macrostructure Microstructure Correlation



# Solidification Model of Hardening Concrete Composite

Proposed by Maekawa, Rasha, Zhu, and Ishida

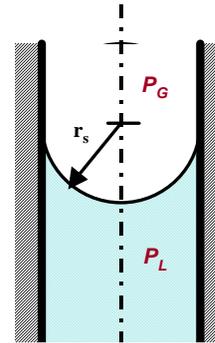


# Constitutive Model of Concrete – Modeling of shrinkage stress, 1

$$\sigma_s = \sigma_{sd} + \sigma_{sc}$$

Inherent driving forces in terms of RH

## Theory of capillary tension



$$\sigma_{sc} = \beta \cdot P$$

$$P = -\frac{\rho RT}{M} \ln h$$

$$\beta = \frac{\phi_{cap} \cdot S_{cap} + \phi_{gel} \cdot S_{gel}}{\phi_{cap} + \phi_{gel}}$$

- Kelvin & Laplace equations
- Content of condensed water

## Theory of surface energy

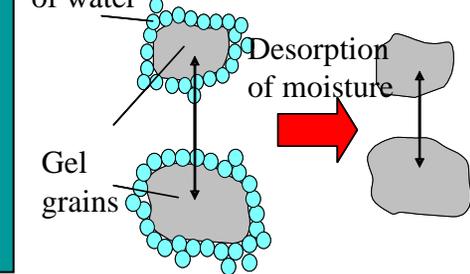
$$\sigma_{sd} = S_{sd} \cdot$$

$$S_{sd} = f(h) S_{gel}$$

$$f(h) = \frac{1 - k_2 h}{1 - k_2 h + k_1 h}$$

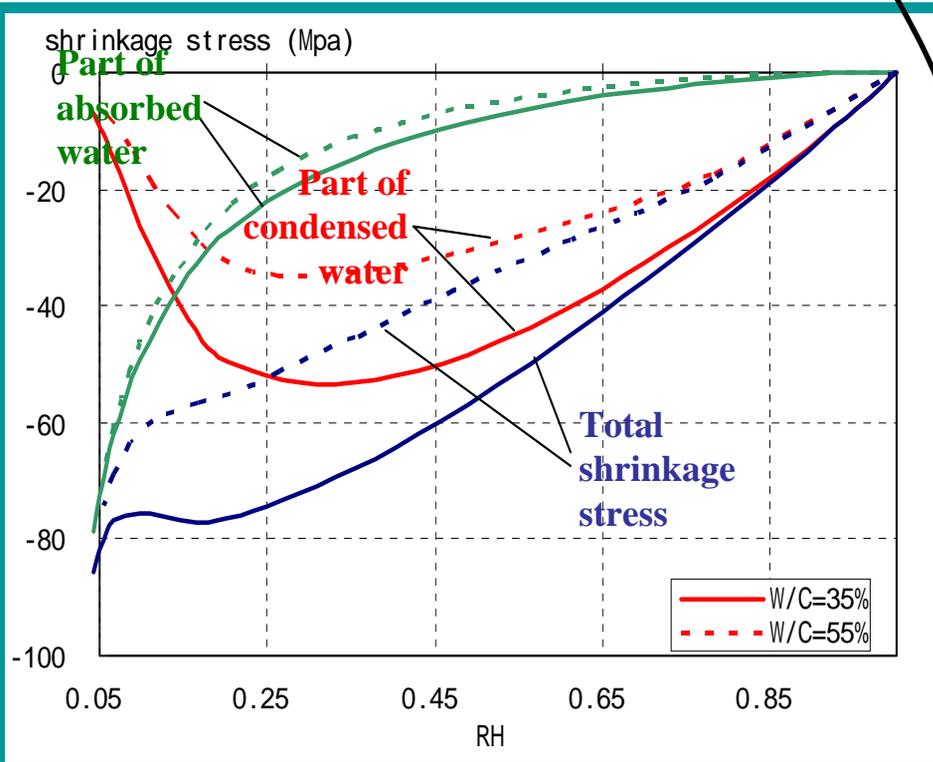
Molecule of water

Desorption of moisture

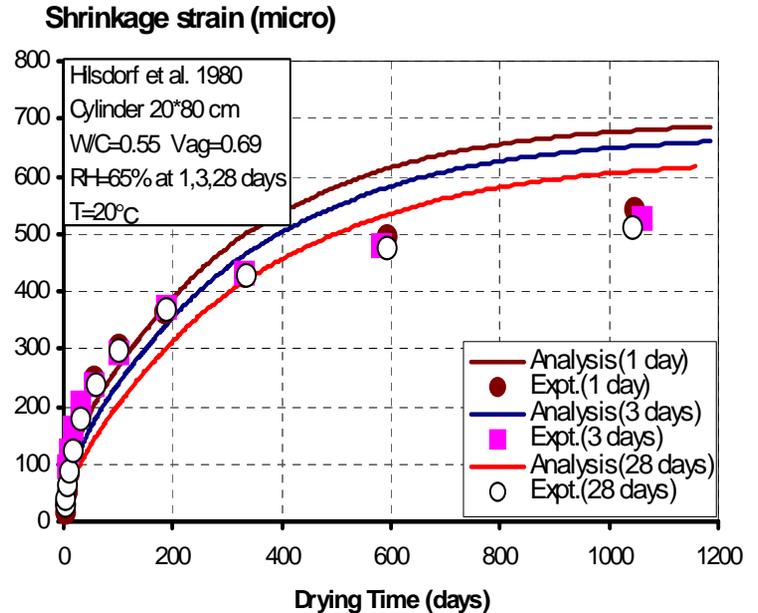
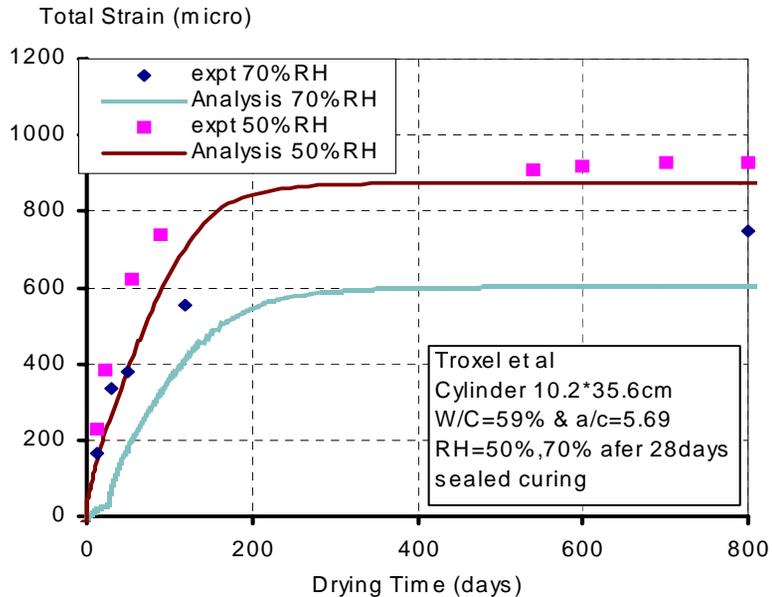
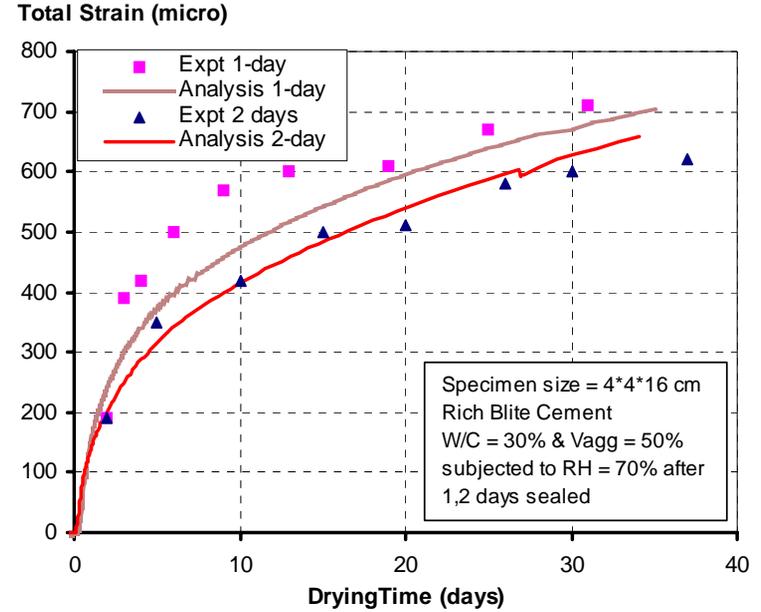
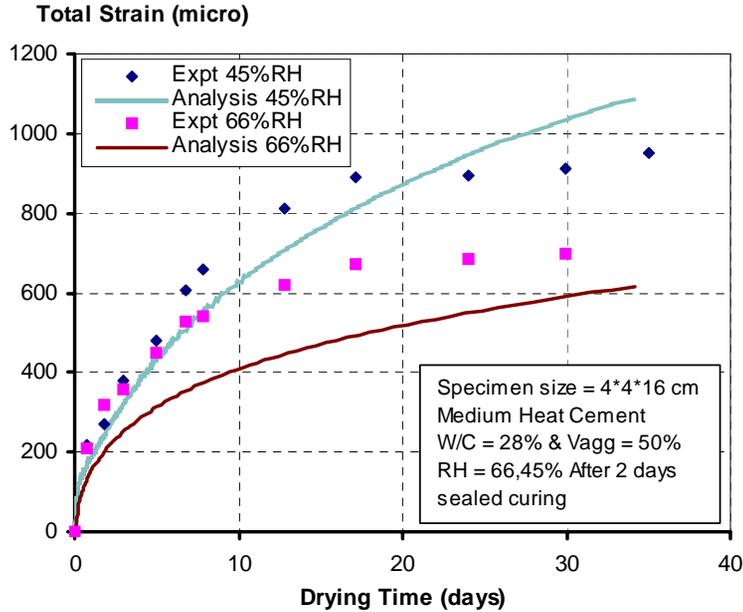


Gel grains

- Thickness of absorbed water by B.E.T theory
- Surface area of gel

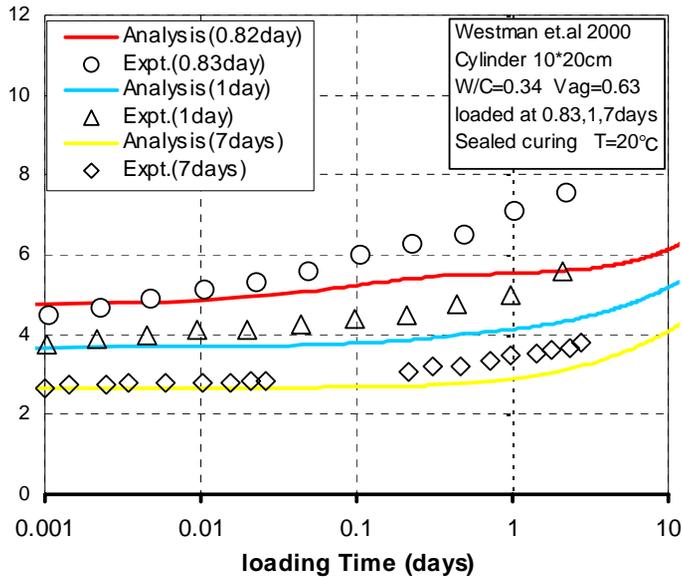


# Verification (Drying shrinkage)

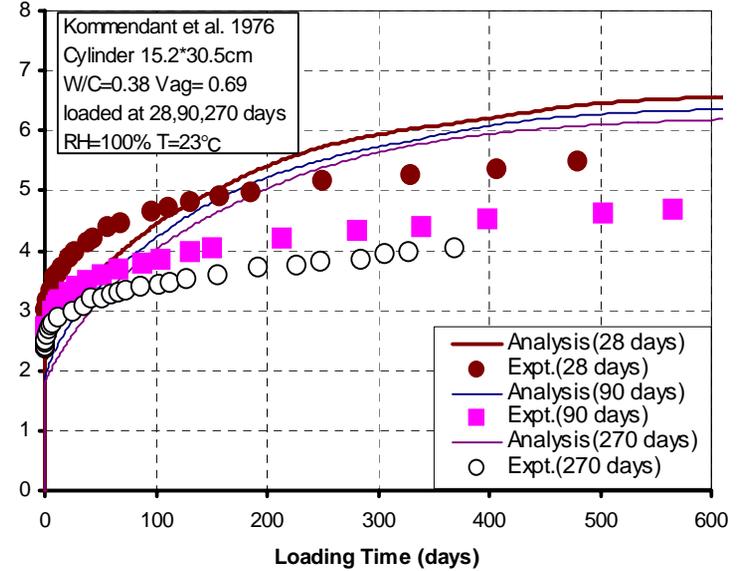


# Verification (Creep)

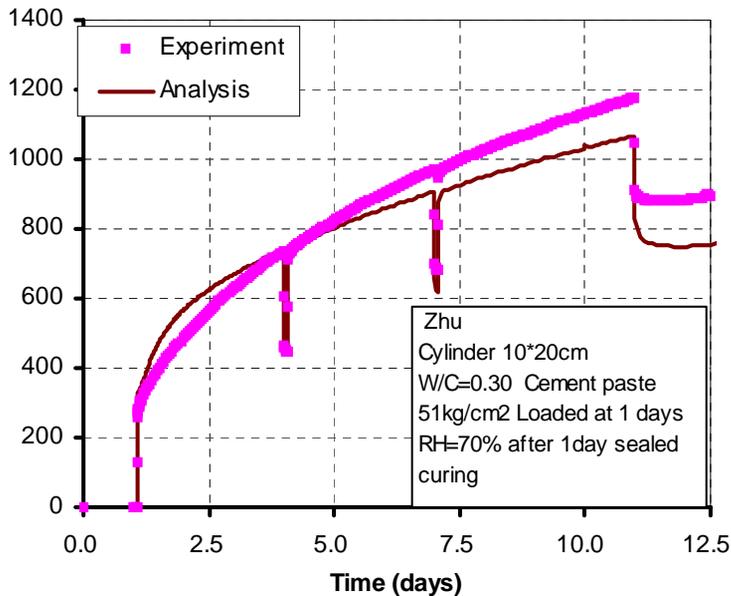
Specific creep (micro/(1kgf/cm<sup>2</sup>))



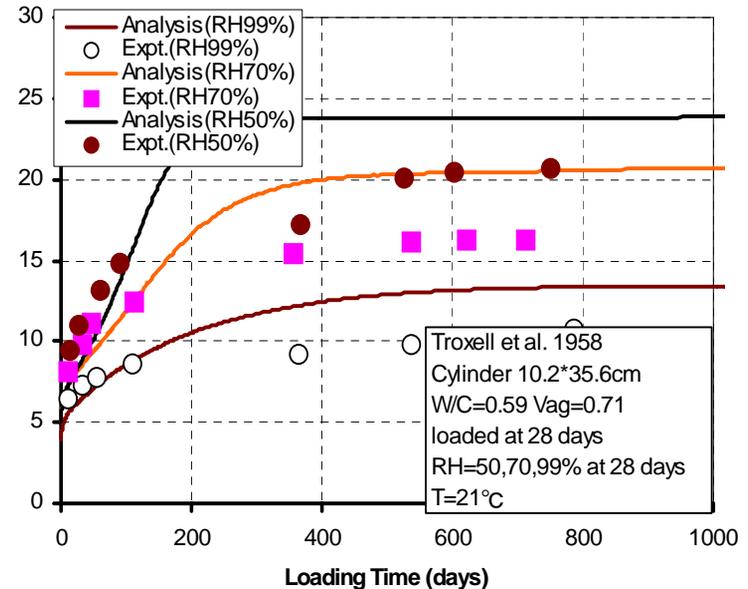
Specific creep (micro/(1kgf/cm<sup>2</sup>))



Total strain (micro)



Specific creep (micro/(1kgf/cm<sup>2</sup>))

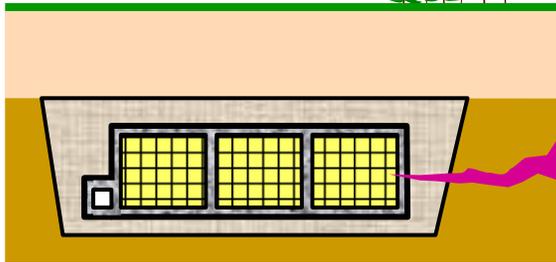


# Durability problem (Calcium leaching)

**Past** : Since rate of leaching is very slow, it is not so important.

**Present** : Calcium leaching is one of the most important problems.

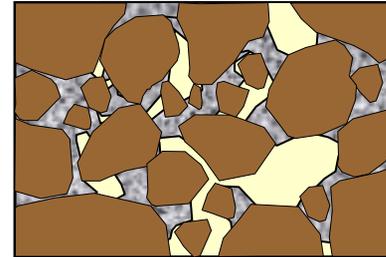
## Extended application Concrete



Low-level radioactive waste (Now) ->

Mid and High-level waste should be treated in very near future

## New material Cemented soil



Isolation of radioactivity

Deep underground

$10^3 - 10^4$  [year]

**Very long-term**

Diffusion of ions from Concrete to soil

Purpose

Environment

Time scale

Ground improvement

Underground

$10^1 - 10^2$  [year]

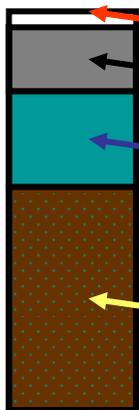
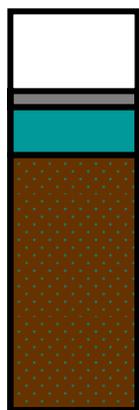
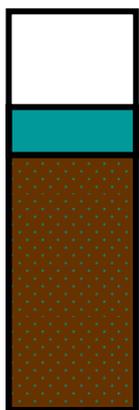
**High W/C, large voids**

Property between soil and concrete

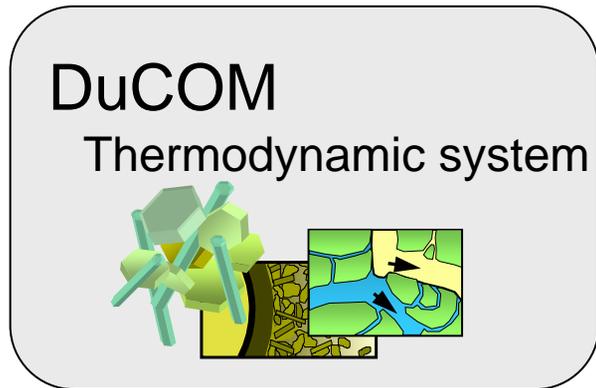
# Modeling of micro-pore structure for cemented soil

## Extend to cemented soil

Mix proportions (in volume)



Air  
Cement  
Water } Cement paste  
Soil particle (Aggregate)

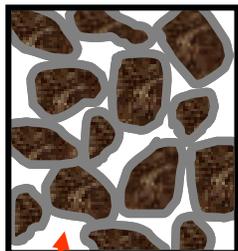
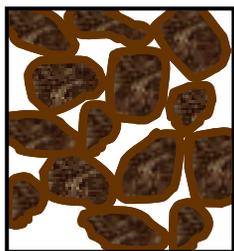


**Large airspace**  
(micro ~ mm scale)

Un-cemented Soil

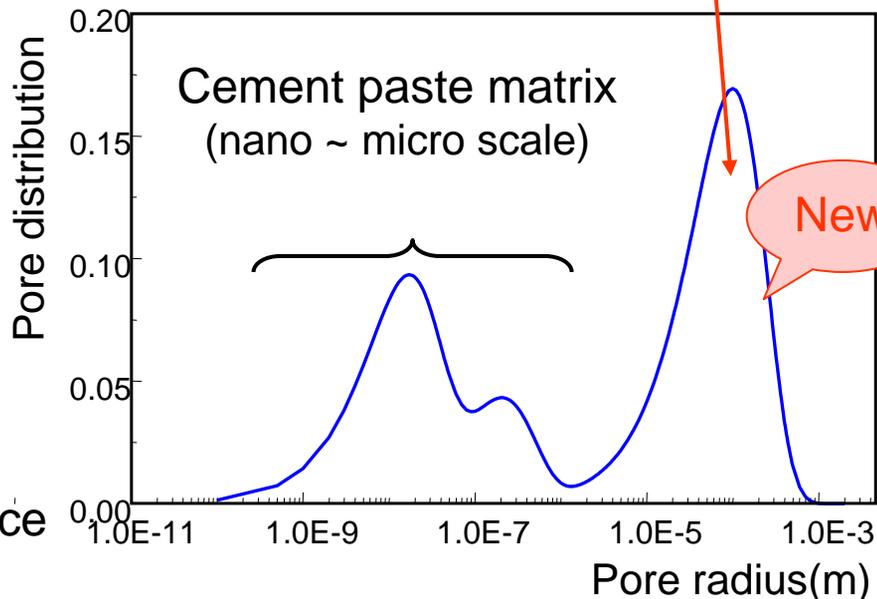
Cemented Soil

Concrete



**Connected airspace**  
between sand particles

Independent airspace



Pore distribution

# Mass balance condition for calcium ion in cementitious materials

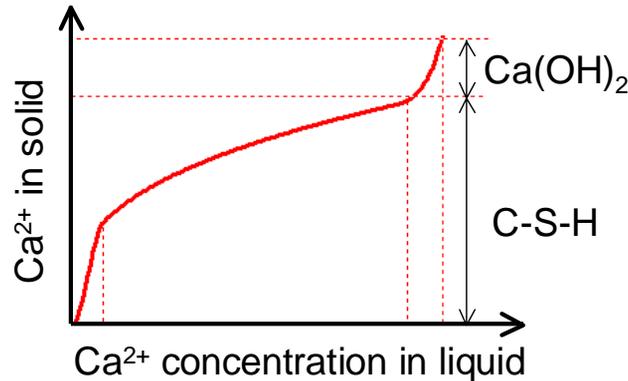
**Basic Equation  
for total calcium**

$$\frac{\partial}{\partial t} (\phi \cdot S \cdot C_{ion}) + \frac{\partial C_{solid}}{\partial t} - \text{div} J_{ion} = 0$$

Liquid-phase    Solid-phase    Transport

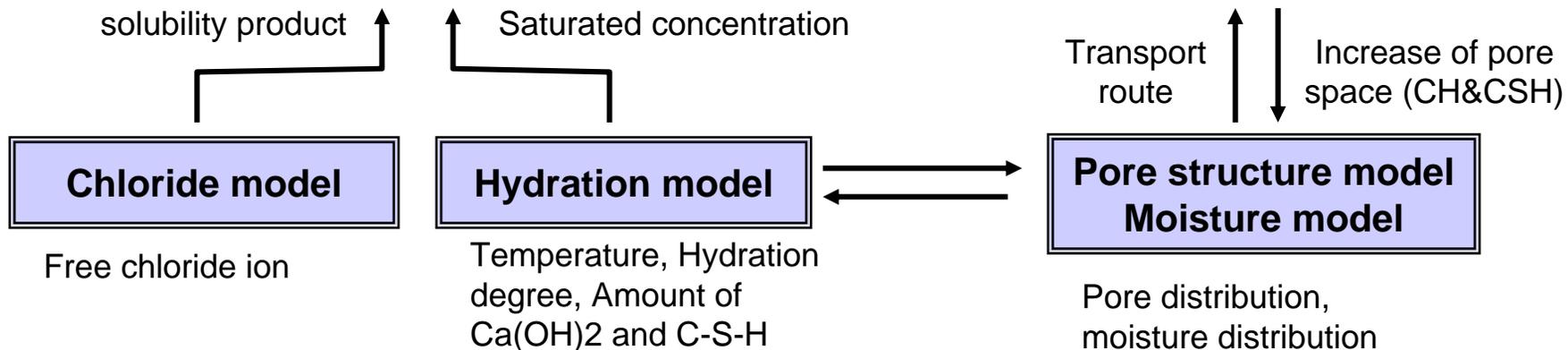
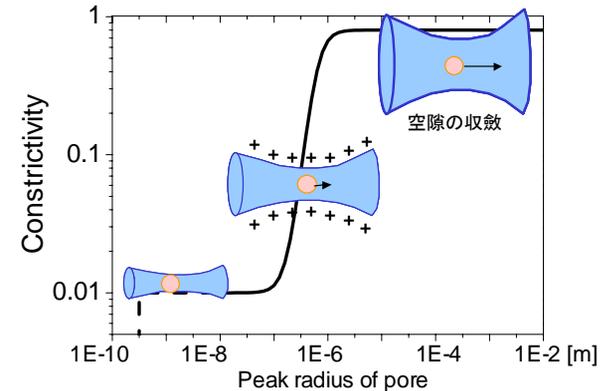
## 1. Ca liquid/solid equilibrium

$$C_{Solid} = f(C_{ion})$$



## 2. $\text{Ca}^{2+}$ ion transport

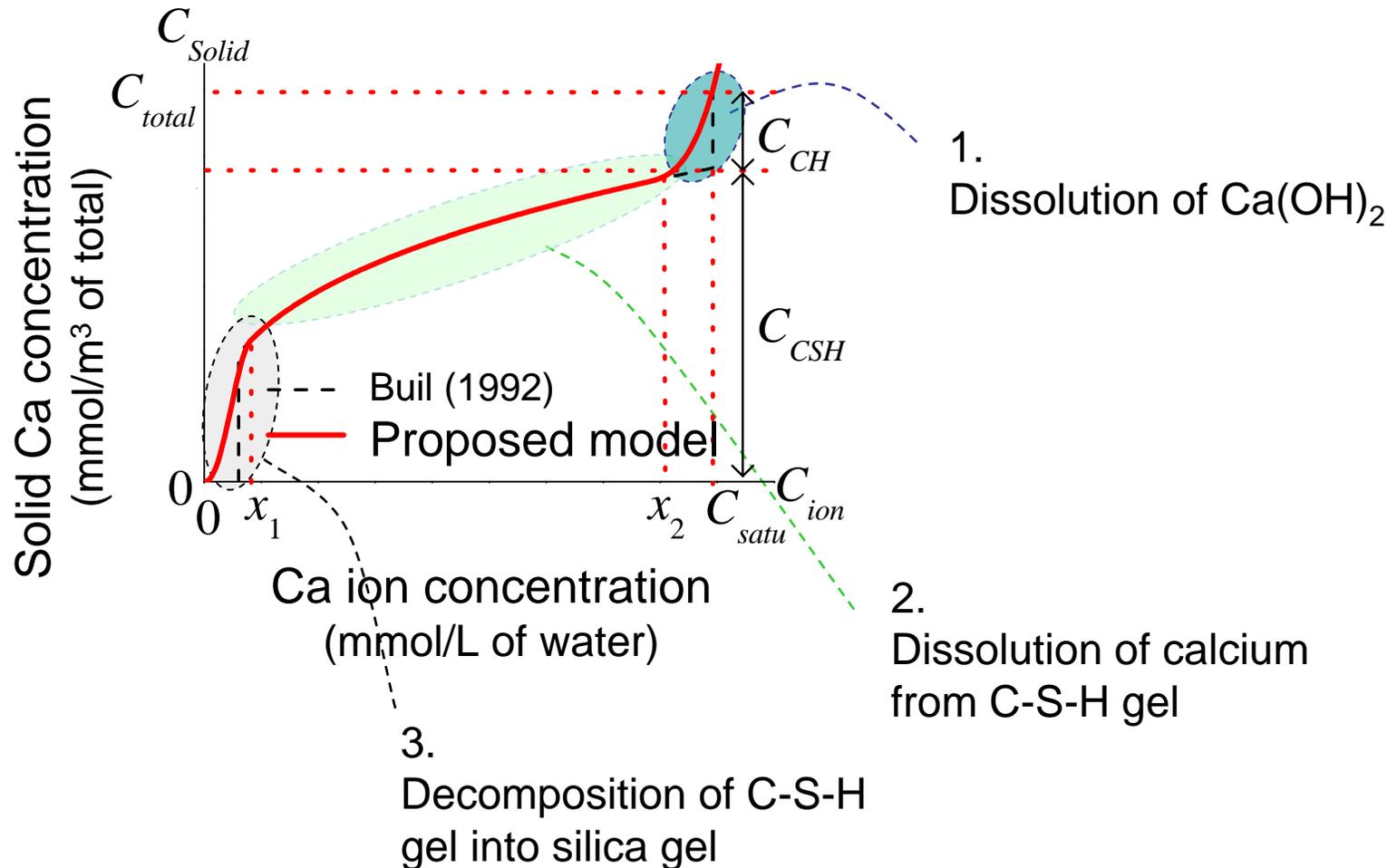
$$J_{ion} = - \left( \frac{\phi \cdot S}{\Omega} \cdot \delta \cdot D_{ion} \right) \cdot \nabla C_{ion} + \phi \cdot S \cdot \mathbf{u} \cdot C_{ion}$$



# Modeling of Calcium liquid-solid equilibrium

## 1. Ca liquid/solid equilibrium

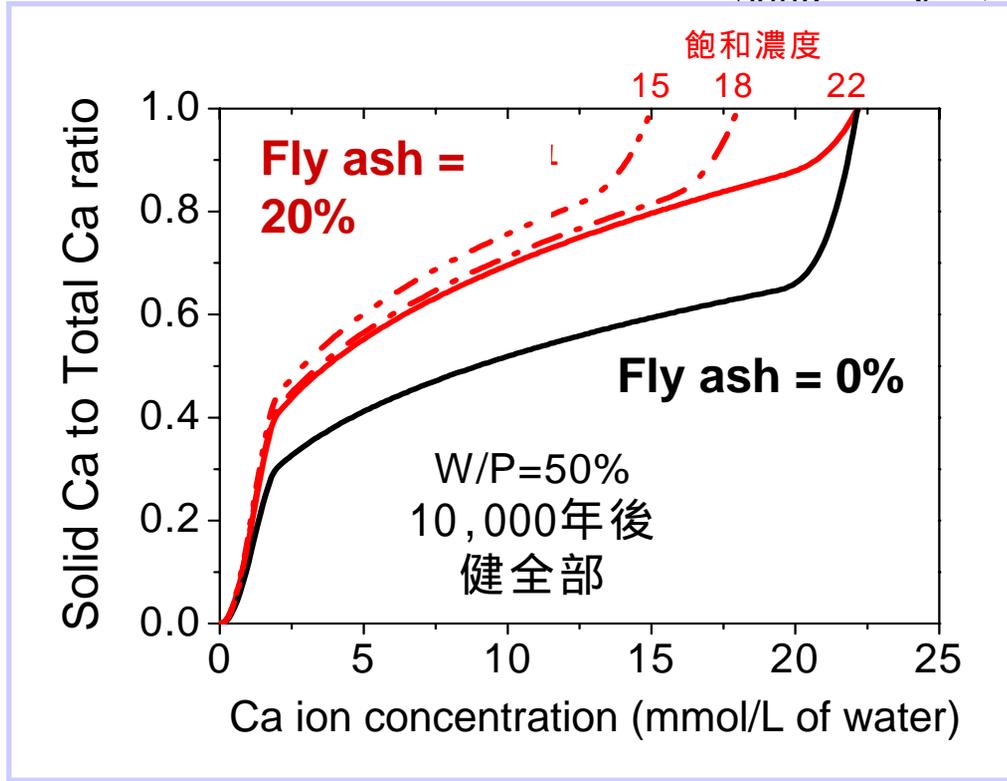
$$C_{Solid} = f(C_{ion})$$



# Equilibrium model of calcium

## 1. Ca liquid/solid equilibrium

$$C_{Solid} = f(C_{ion})$$



Total Ca (constant)

Mix proportion

Ca in generated  $\text{Ca}(\text{OH})_2$

Hydration model

Ca in C-S-H gel

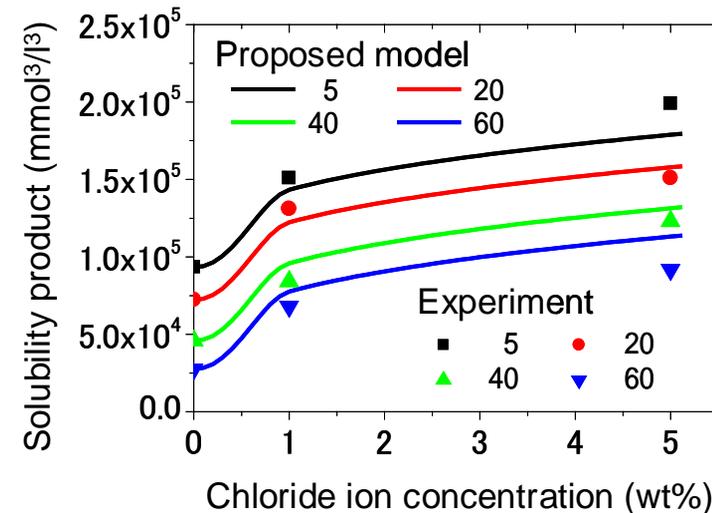
$$C_{CSH} = C_{Total} - C_{CH}$$

Saturated concentration

solubility product of  $\text{Ca}(\text{OH})_2$

- Temperature
- Chloride ion concentration

$$C_{satu} = \frac{1}{2} \sqrt[3]{2K_{sp}}$$



# Modeling of Calcium transport

## 2. Ca<sup>2+</sup> ion transport

$$J_{ion} = - \left( \frac{\phi \cdot S}{\Omega} \cdot \delta \cdot D_{ion} \right) \cdot \nabla C_{ion} + \phi \cdot S \cdot \mathbf{u} \cdot C_{ion}$$

**Ionic diffusion**

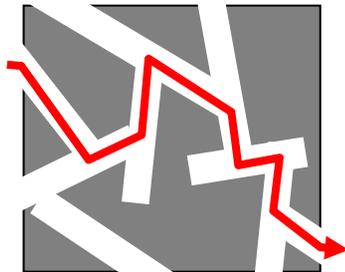
due to concentration gradients

**Advective transport**

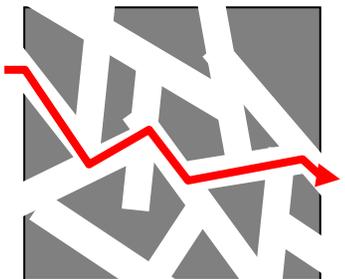
due to bulk movement

Reduction factor of ion diffusion due to property of pore structure

**Tortuosity**  $\Omega$

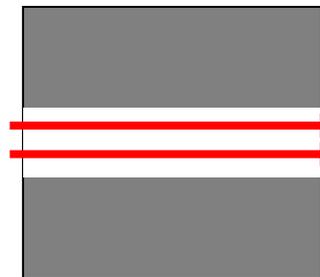


$\phi$  small  
 $\Omega$  large

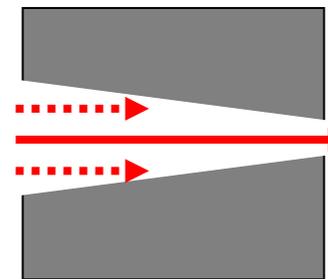


$\phi$  large  
 $\Omega$  small

**Constrictivity**  $\delta$



$\delta = 1.0$



$\delta < 1.0$

## 2. Ca<sup>2+</sup> ion transport

$$J_{ion} = - \left( \frac{\phi \cdot S}{\Omega} \cdot \delta \cdot D_{ion} \right) \cdot \nabla C_{ion} + \phi \cdot S \cdot \mathbf{u} \cdot C_{ion}$$

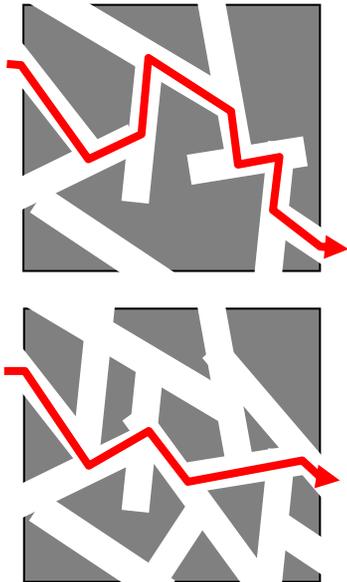
**Ionic diffusion**

due to concentration gradients

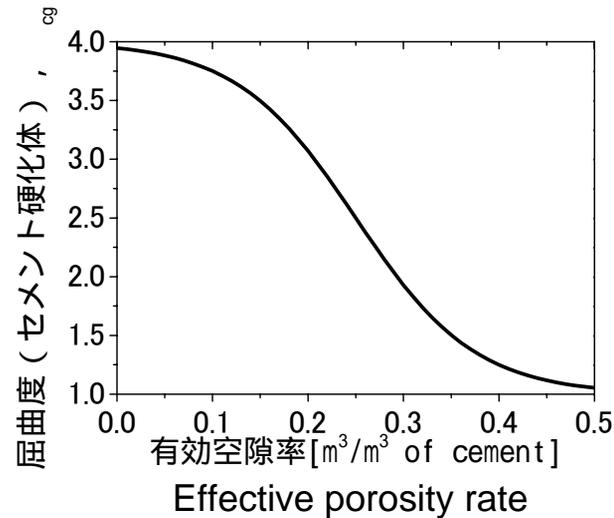
**Advective transport**

due to bulk movement

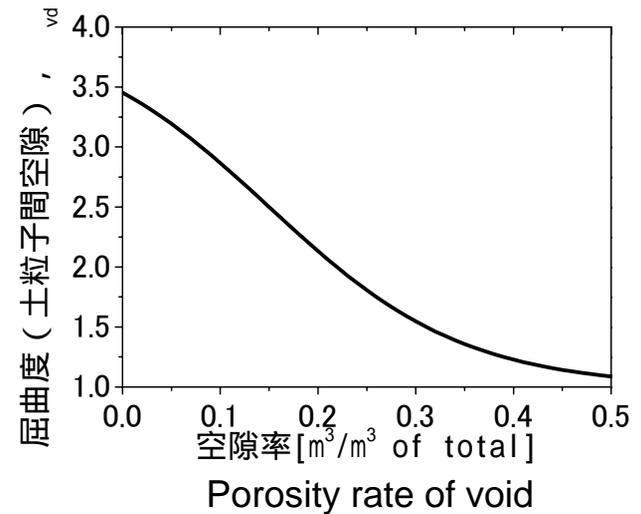
Tortuosity  $\Omega$



Tortuosity of cement paste



Tortuosity of soil



Tortuosity is defined as a function of porosity.

# Modeling of transport of calcium ion

## 2. $\text{Ca}^{2+}$ ion transport

$$J_{ion} = - \left( \frac{\phi \cdot S}{\Omega} \cdot \delta \cdot D_{ion} \right) \cdot \nabla C_{ion} + \phi \cdot S \cdot \mathbf{u} \cdot C_{ion}$$

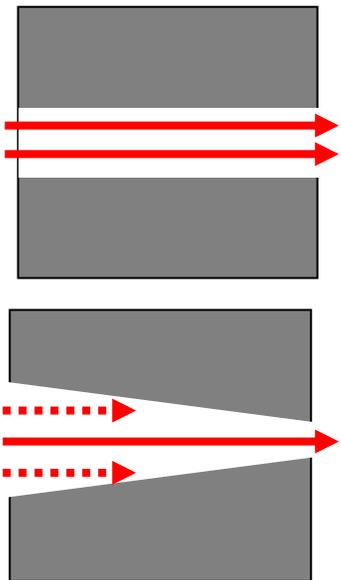
**Ionic diffusion**

due to concentration gradients

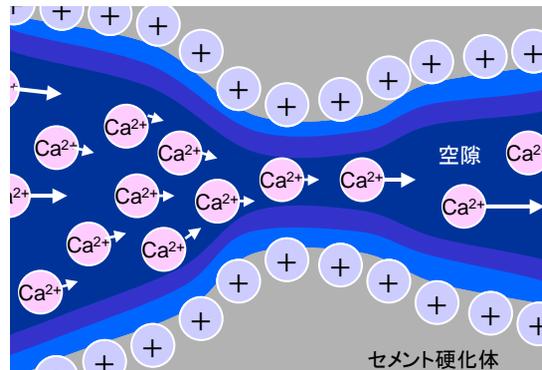
**Advective transport**

due to bulk movement

Constrictivity  $\delta$

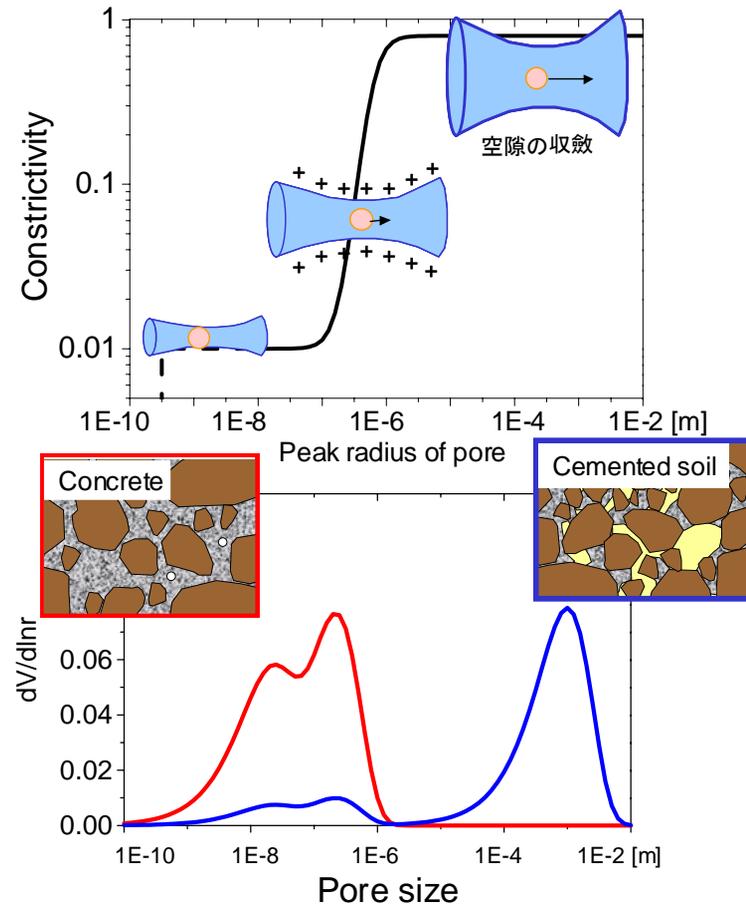


In cement paste



Strong interaction between ion and wall of micro-pore

Constrictivity is defined as a function of pore size.



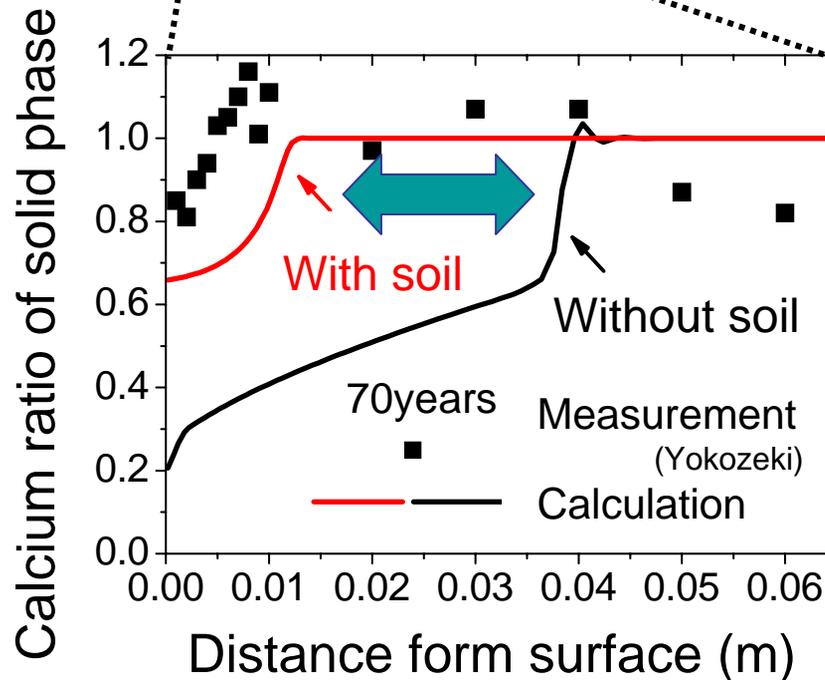
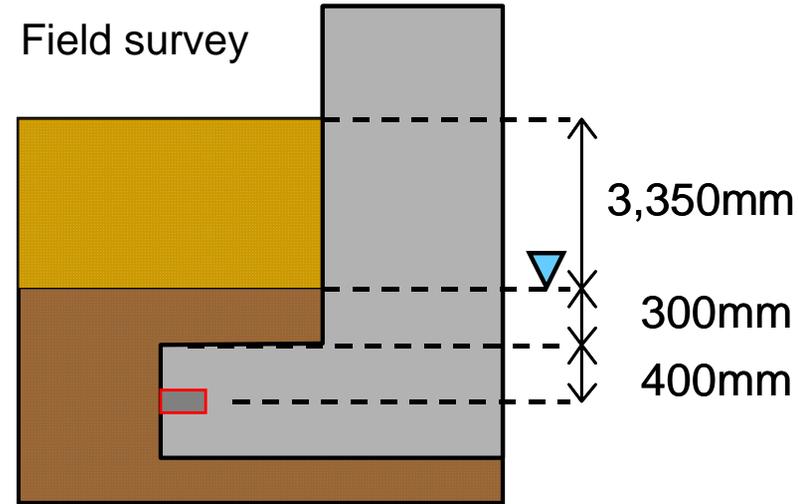
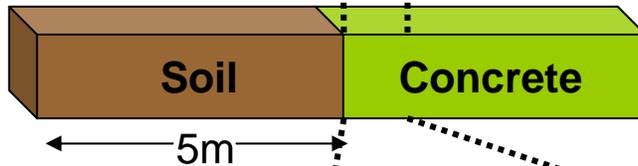
# 1. Leaching from concrete to soil foundation

## Calculation A: Without soil

Boundary condition  
 $\text{Ca}^{2+}$ : 1.3mmol/l



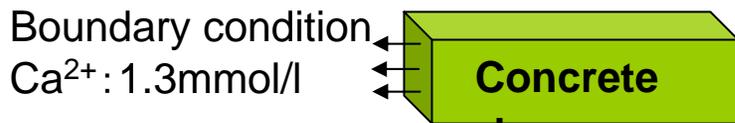
## Calculation B: With soil



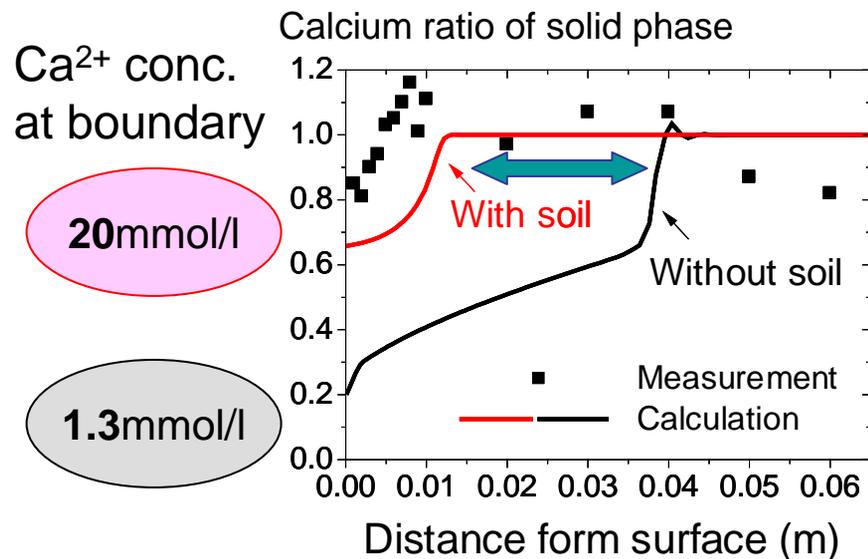
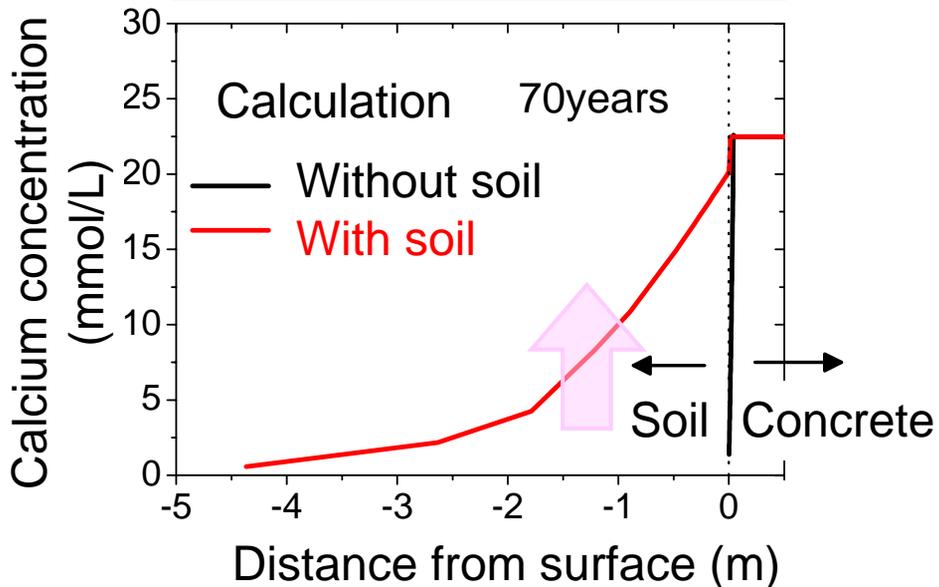
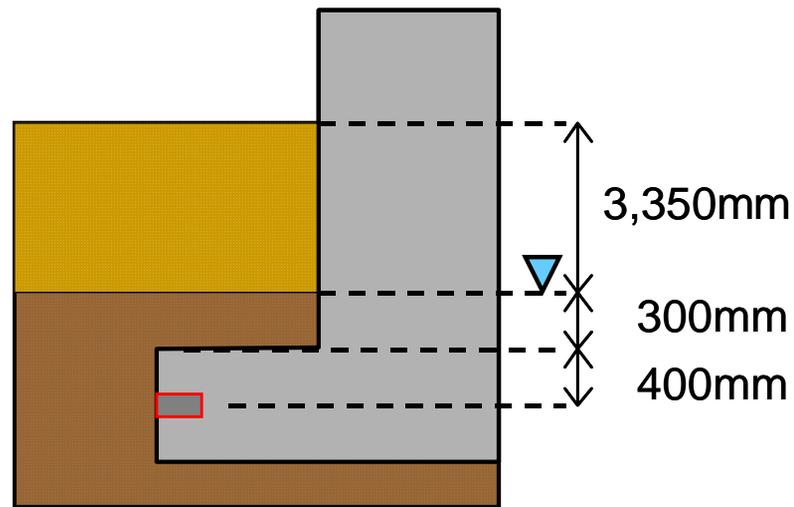
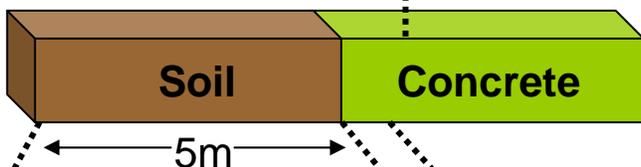
Footing  
Concrete (W/C=55%)

70years after construction

### Calculation A: Without soil



### Calculation B: With soil

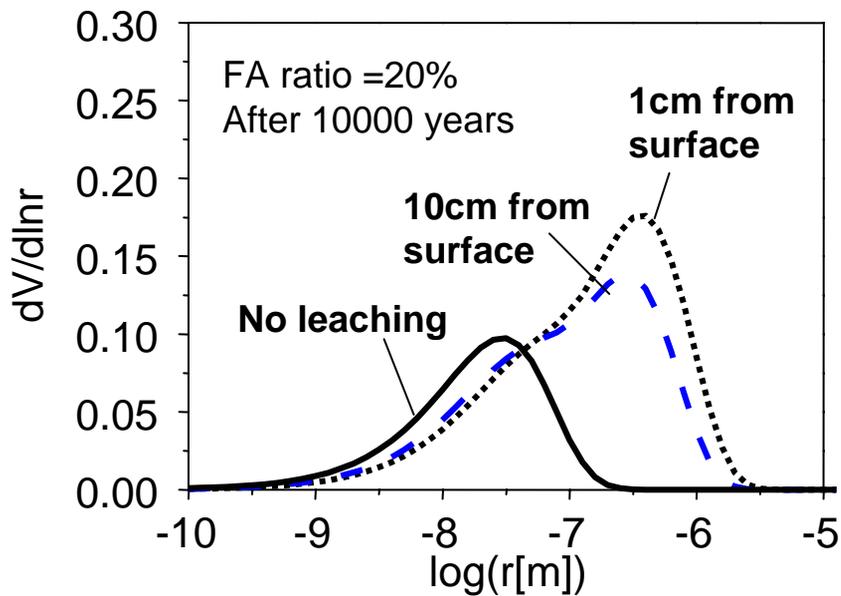
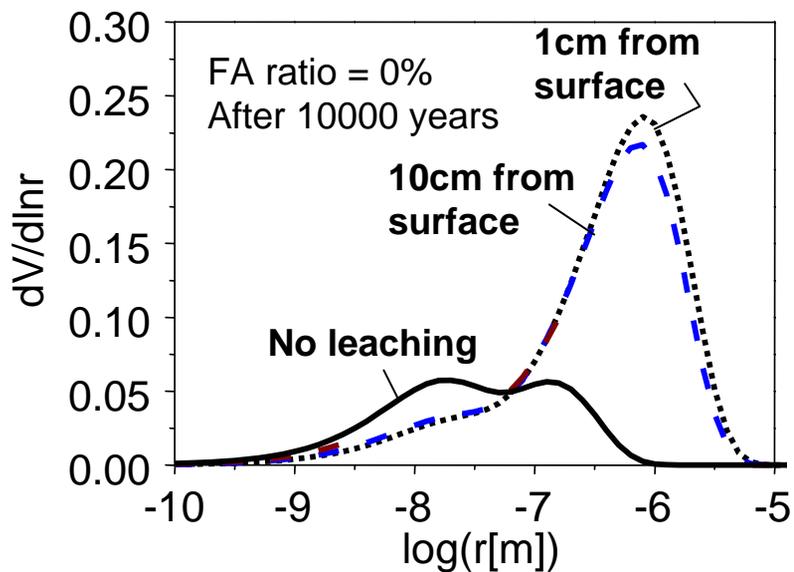
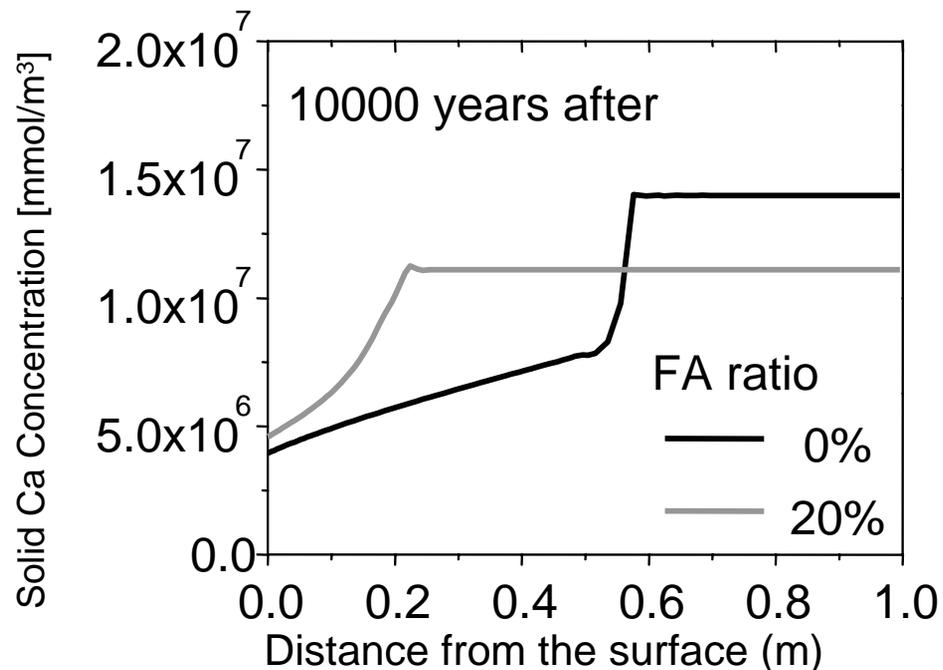


Boundary condition  
 $\text{Ca}^{2+}$ : 2mmol/l



Concrete  
(W/P=50%)

Fly ash (FA): 0%, 20%



# 3. Influence of W/C on calcium leaching

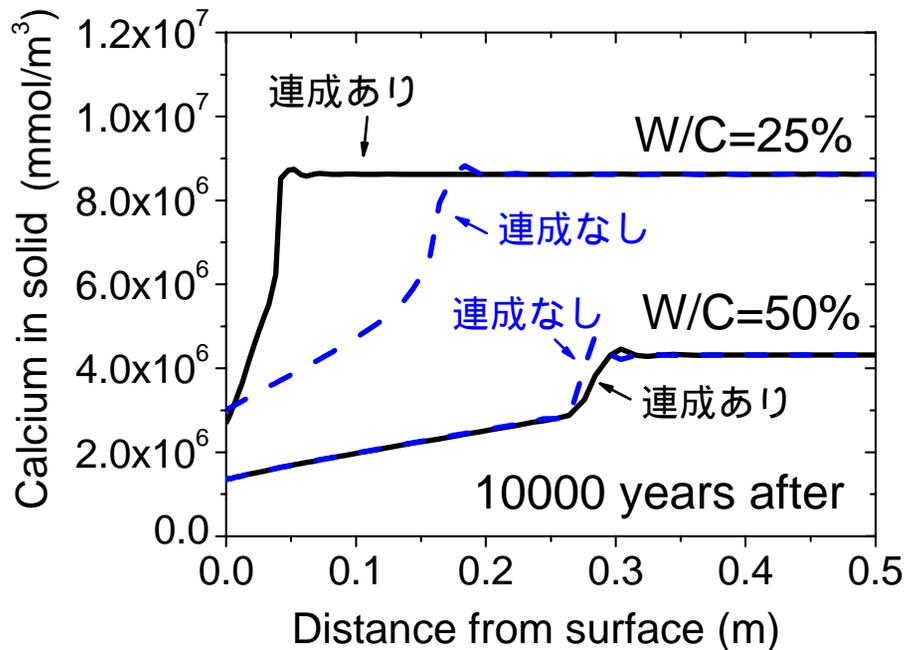
簡易解析 (空隙モデルとの簡易連成)

Boundary condition  
 $\text{Ca}^{2+} : 2\text{mmol/l}$

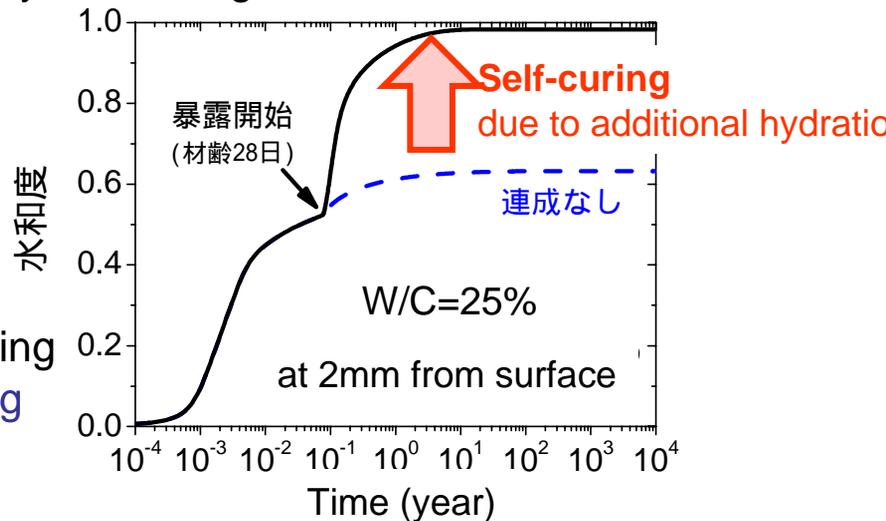


Concrete  
 (W/C=25%, 50%)

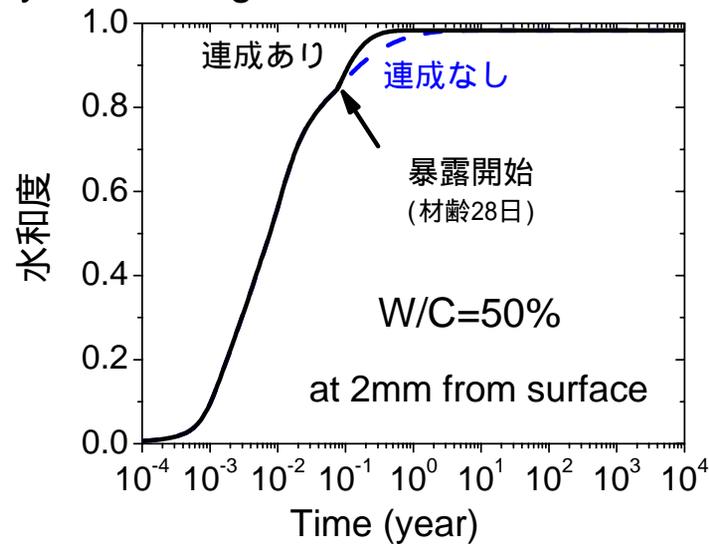
Black line: Consider additional hydration due to leaching  
 Blue line : Neglect additional hydration due to leaching



Hydration degree (W/C=25%)

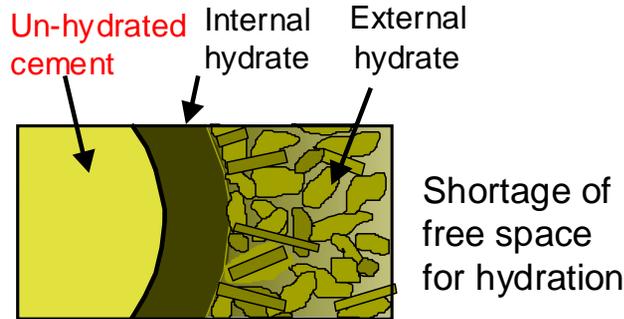
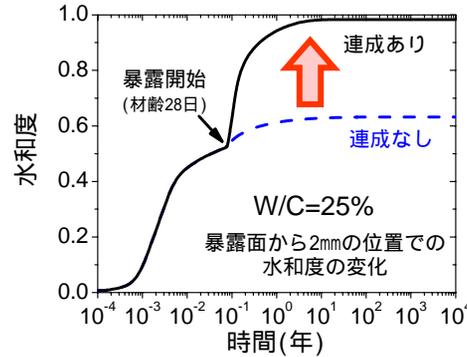


Hydration degree (W/C=50%)

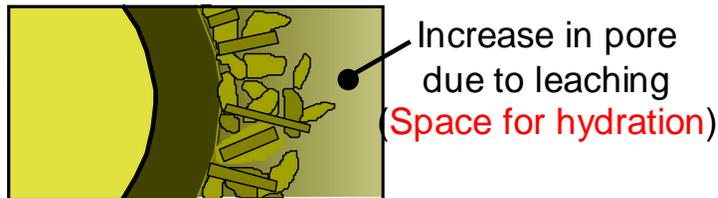


# 4. Self-curing function of low W/C concrete for leaching

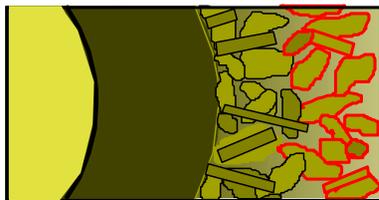
Low W/C



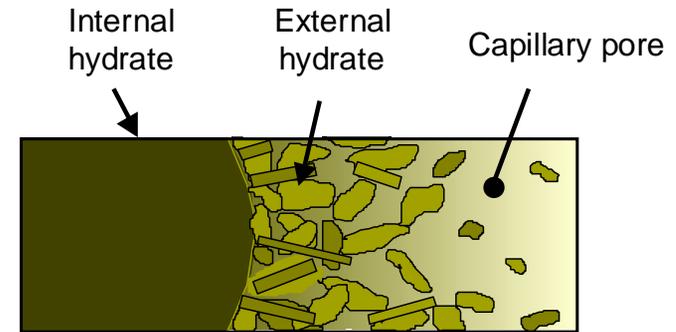
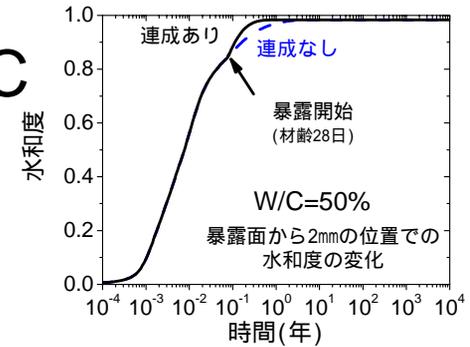
leaching



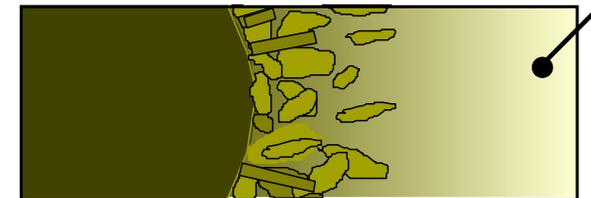
Additional hydration



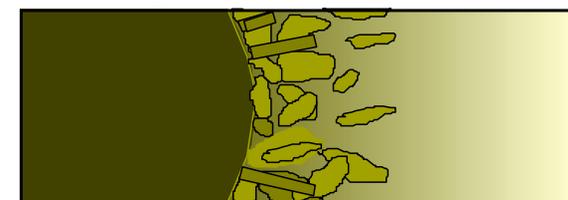
High W/C



Leaching



No additional hydration



## Concluding Remarks

- A numerical simulation system that can assess structural behaviors under coupled environmental actions was proposed in this paper.
- In the system, generation and transfer of heat, moisture, gas and ions in micro-pore structures were formulated based on thermodynamics and electrochemistry.
- Coupling these materials modeling, an early age development process and deterioration phenomenon during the service period can be evaluated for arbitrary materials, curing and environmental conditions in a unified manner.
- Numerical verifications show that this method can roughly predict ingress of ion, carbonation and corrosion phenomena for different materials, curing and environmental conditions.